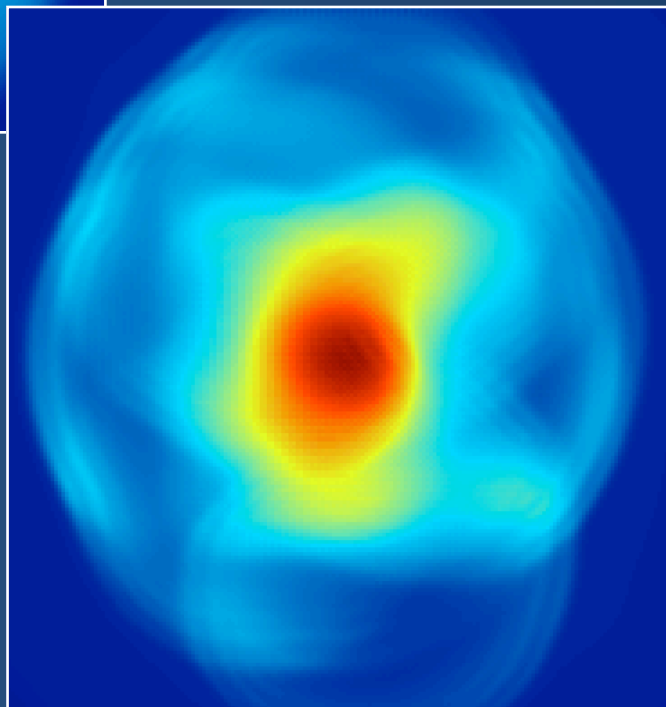
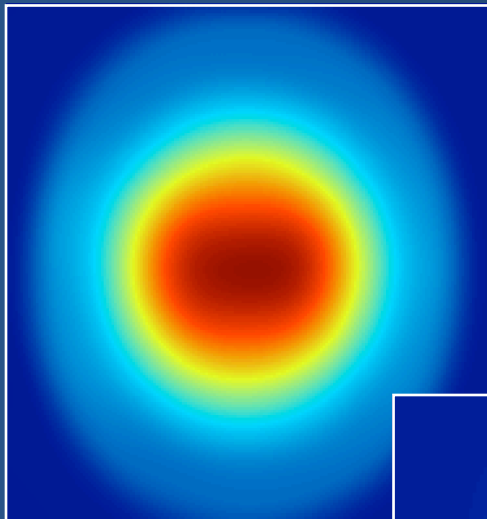


# Fluctuating Initial Conditions in Heavy Ion Collisions



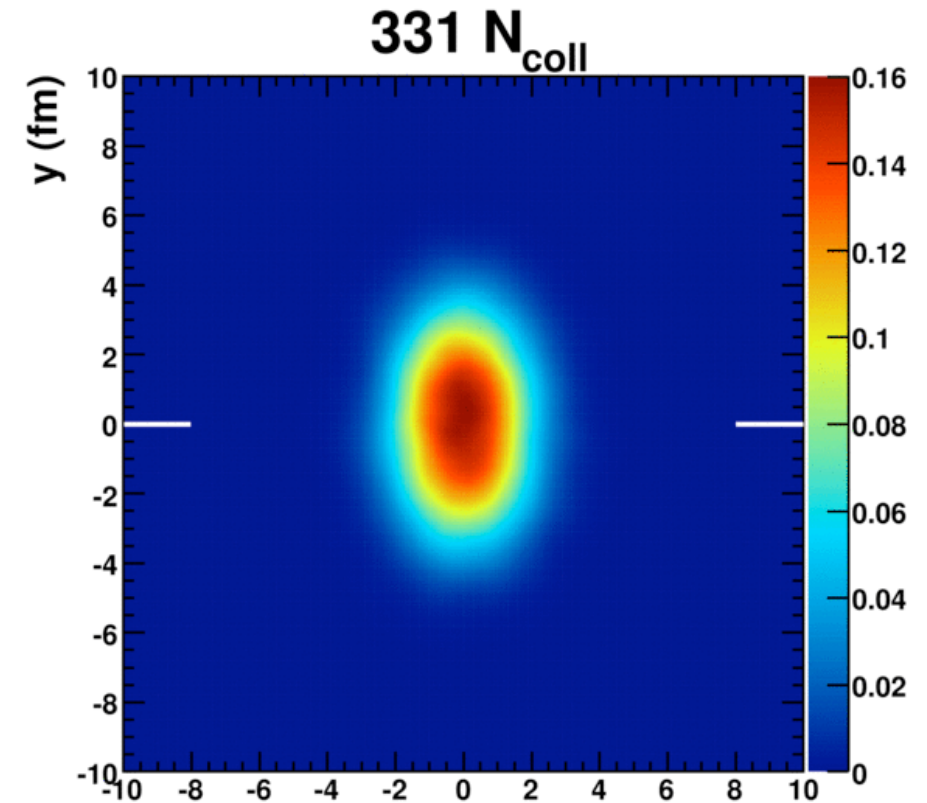
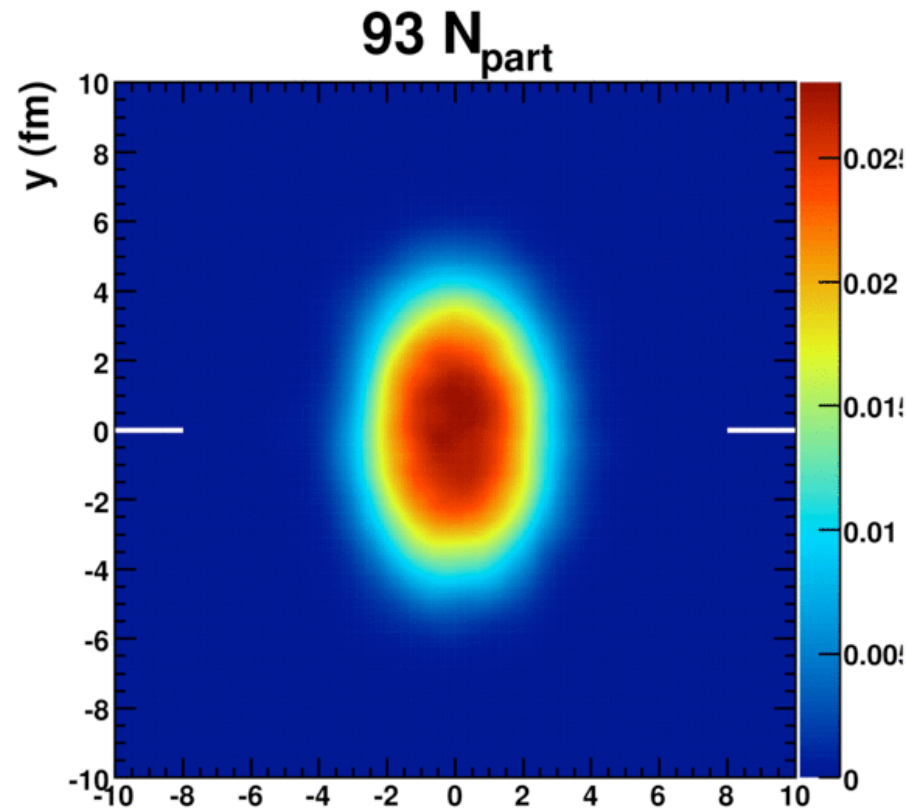
**McCumber, Mendoza, Nagle**  
University of Colorado

**CATHIE/TECHQM Workshop**  
15 December 2009

# Event Fluctuations (I)

2

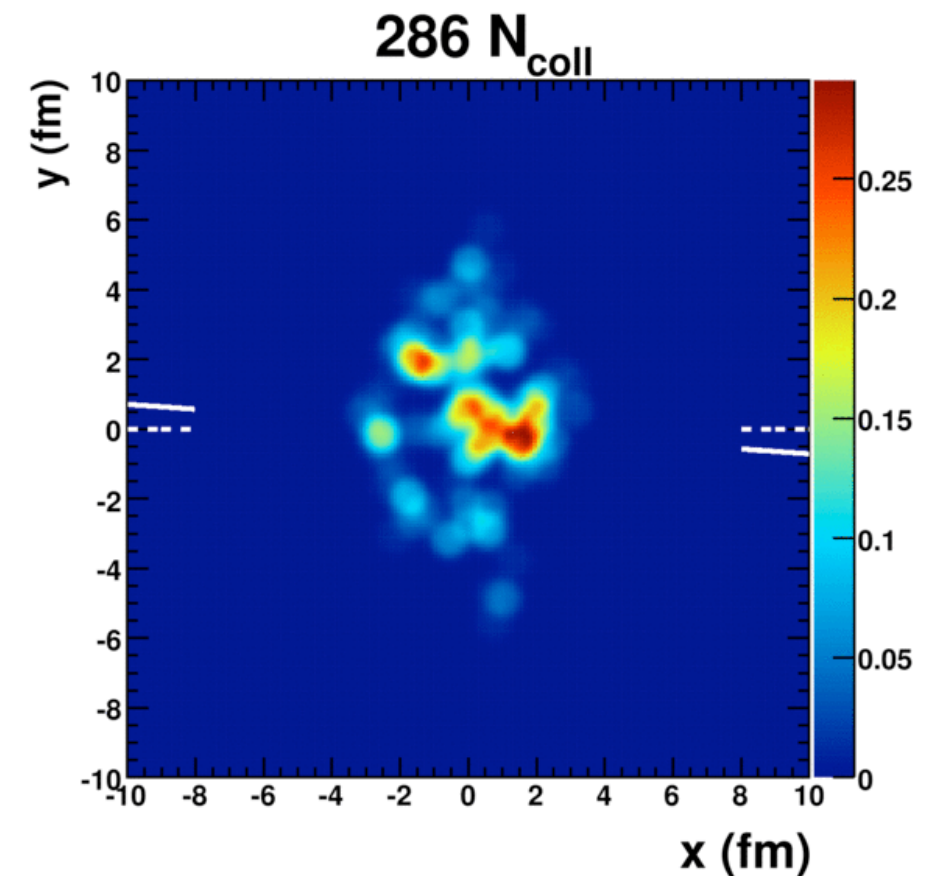
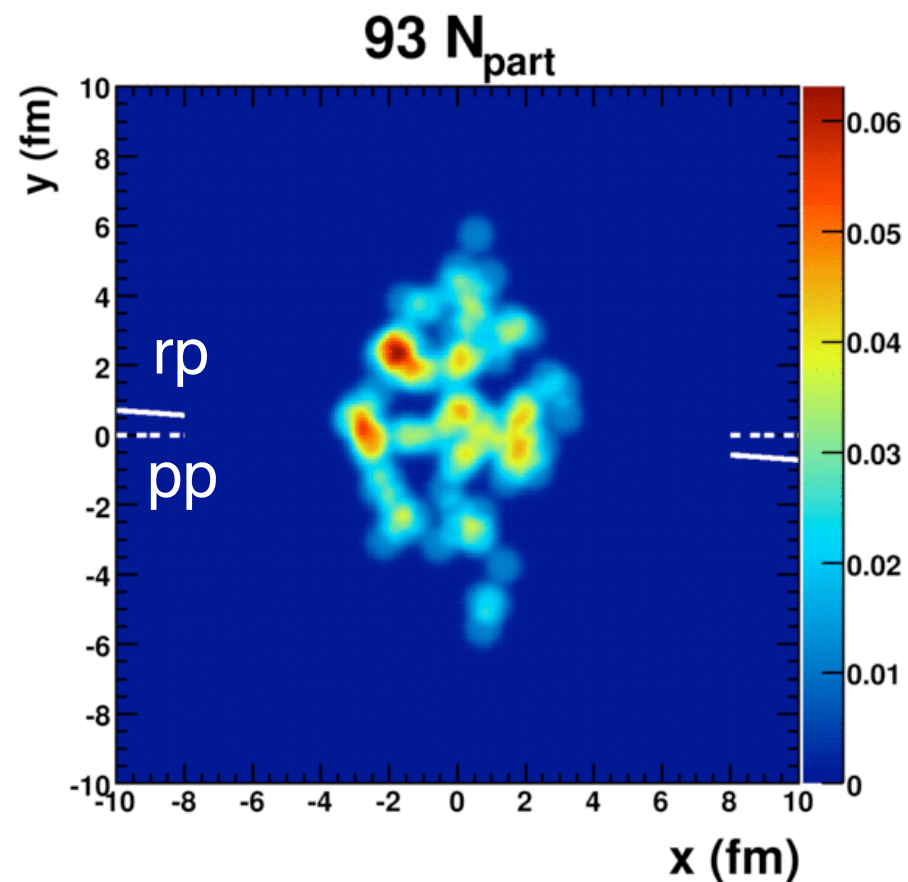
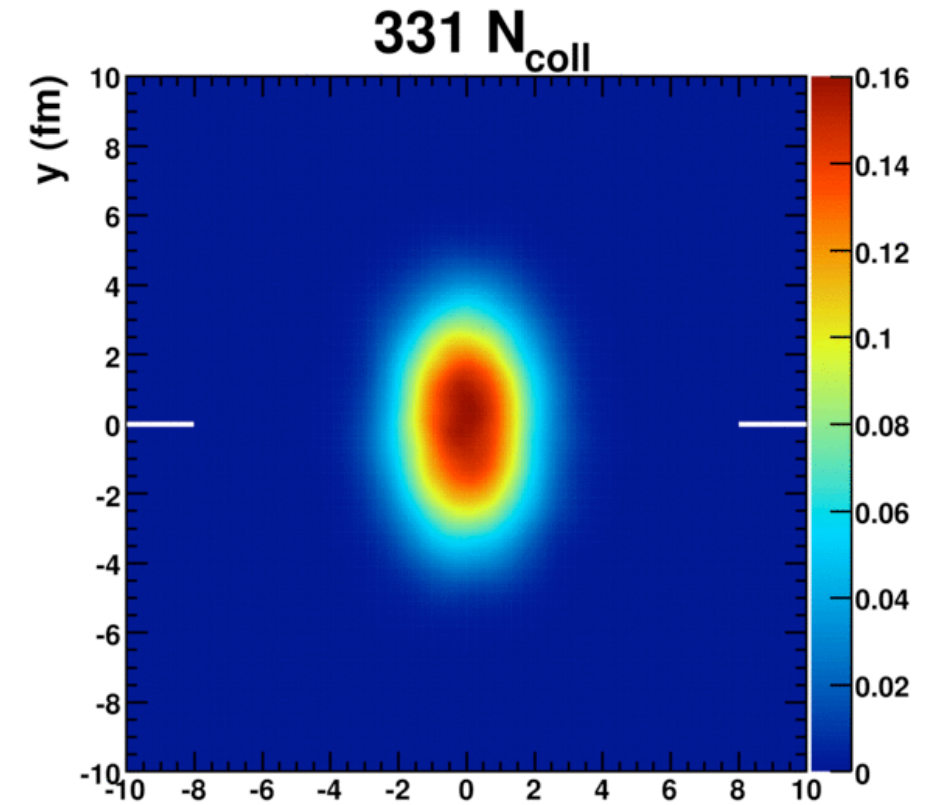
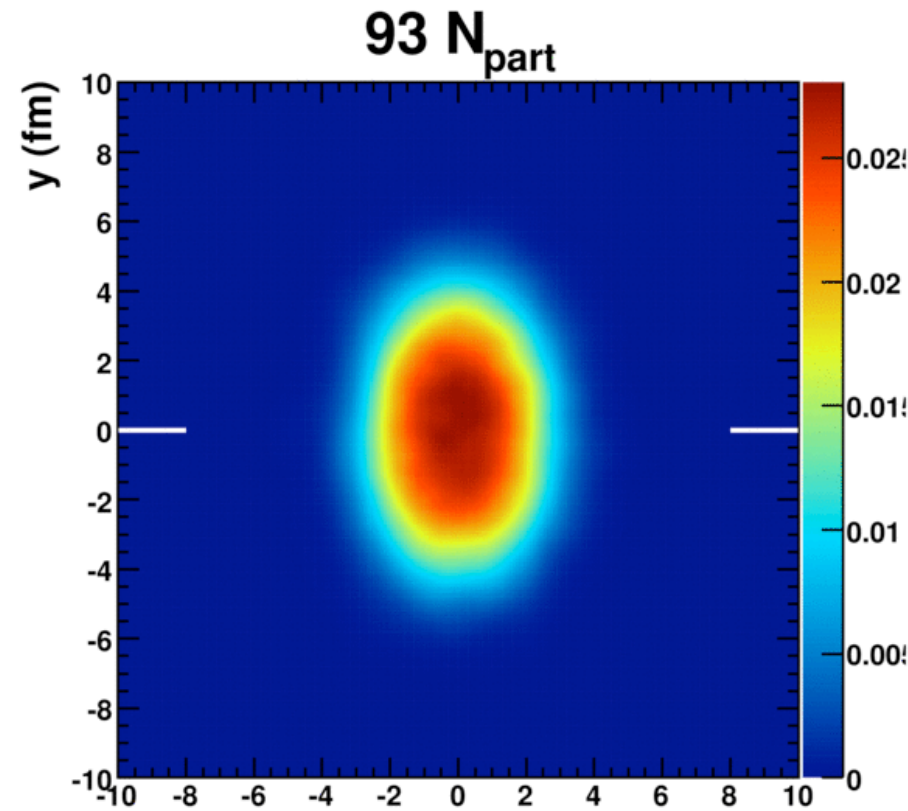
PHOBOS  
Glauber MC v1.1  
 $b = 9.3$  fm  
(20-60%)  
1000 events



# Event Fluctuations (I)

2

PHOBOS  
Glauber MC v1.1  
 $b = 9.3$  fm  
(20-60%)  
1000 events



Single event

The smooth “almond” at RHIC is a myth

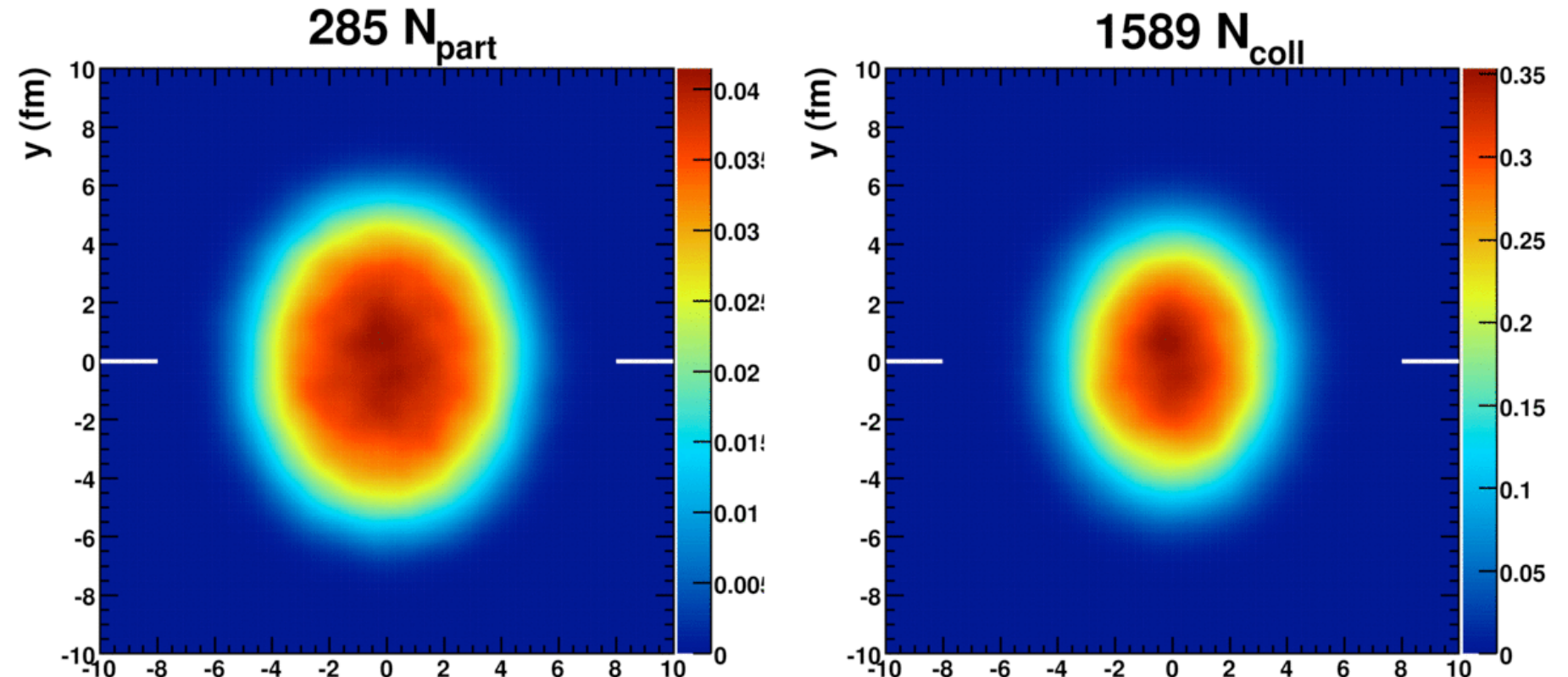


# Event Fluctuations (II)

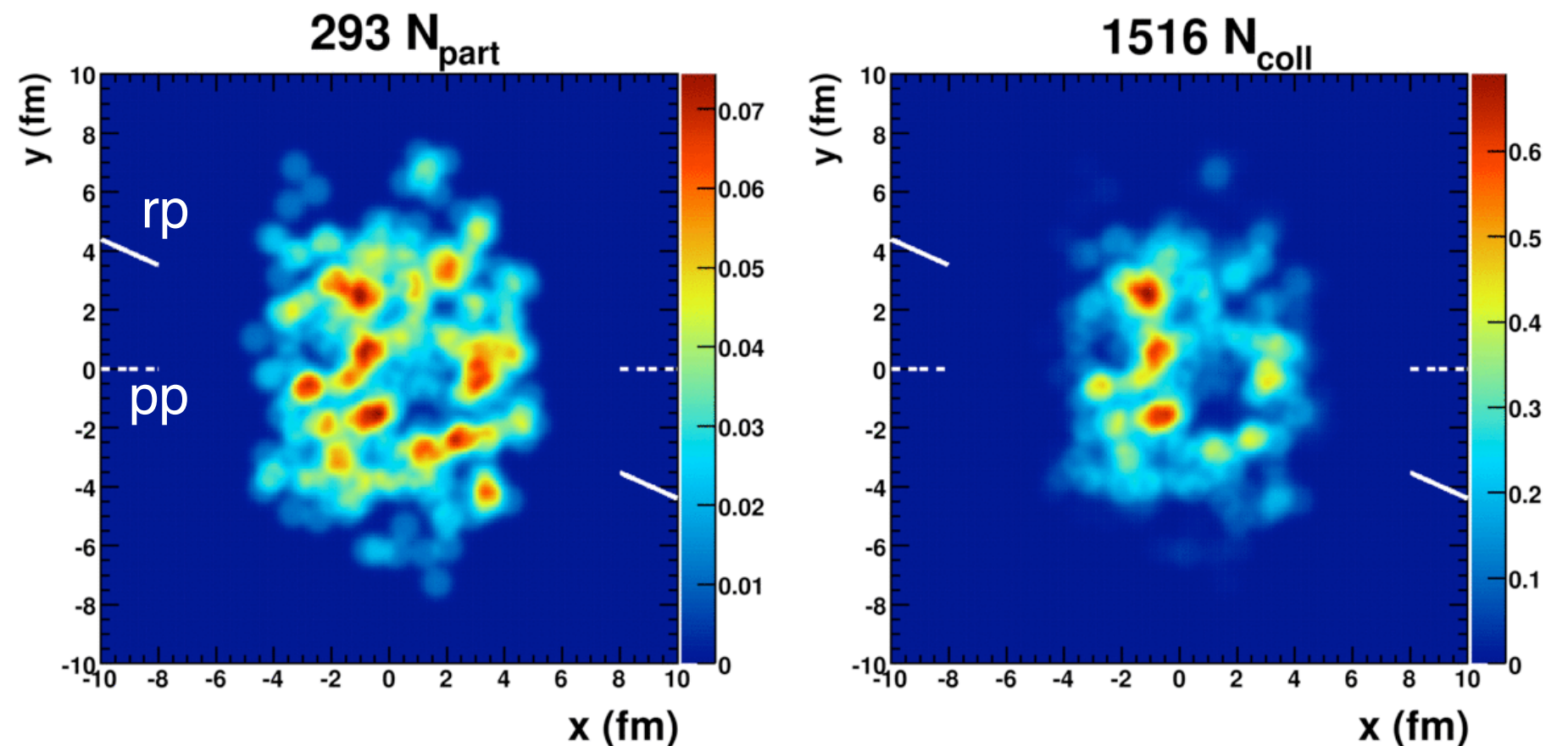
3

$b = 4.4$  fm  
(0-20%)

1000 events



Single Event



Central collisions still don't well-sample the overlap

# Talking the Talk...

CATHIE/TECHQM Day 1: “*Modeling event-to-event fluctuations is important in the extraction of viscosity*”

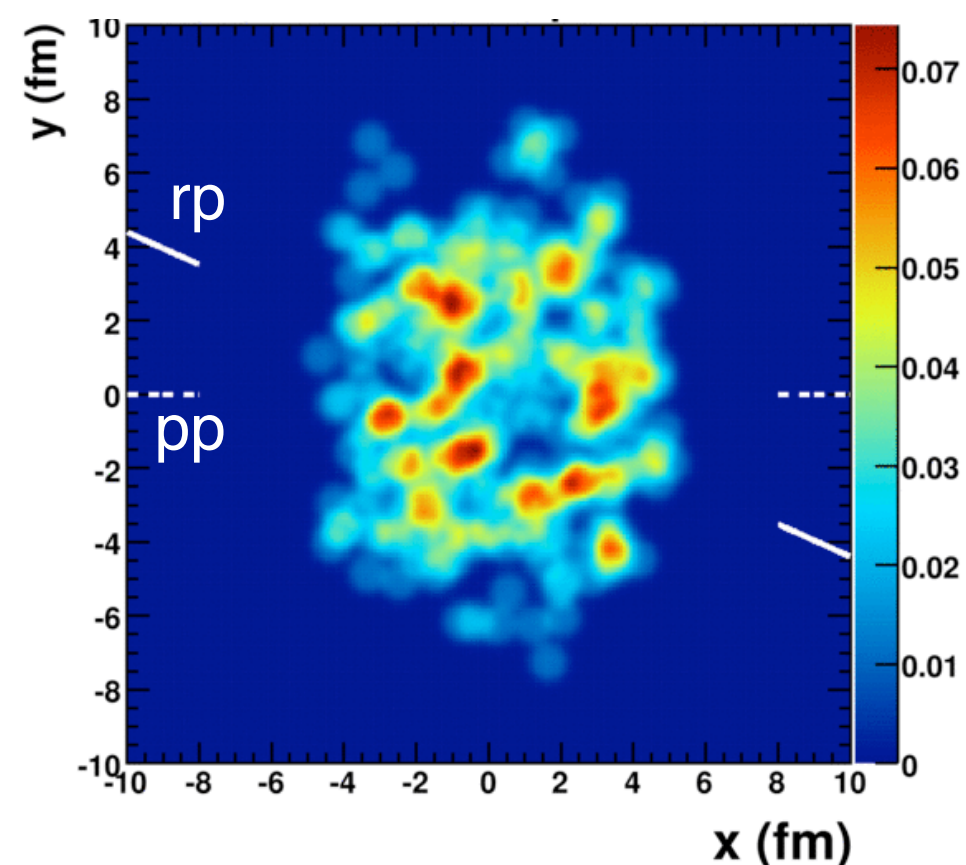
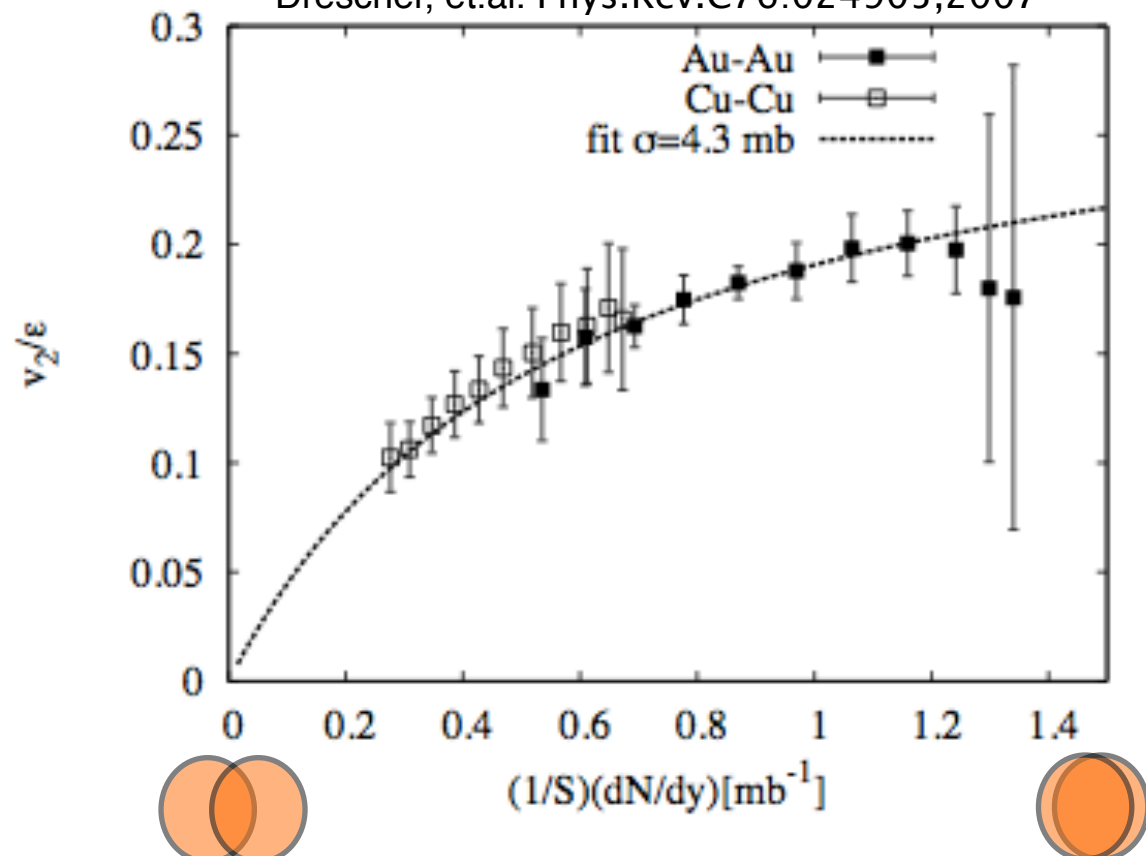
## Viscosity ( $\eta/s$ ) Extraction:

- (1) **Knudsen** modeling of viscous corrections
  - fluctuations change  $\epsilon$

## My focus today

- (2) **Simulation** of viscous hydrodynamics
  - (a) fluctuations change  $\epsilon$
  - (b) event-to-event,  $\epsilon(x,t=0)$**

Drescher, et.al. Phys.Rev.C76:024905,2007



# ...Walking the Walk

5

Two-Source Model in Two-Particle Correlations:

$$C(\Delta\phi) = J(\Delta\phi) + B(\Delta\phi)$$

All pairs = Jet +  
Event-wise Correlations

$$\begin{aligned} B(\Delta\phi) &\sim (1 + 2v_2^A \cos(2\phi^A) + \dots) \otimes (1 + 2v_2^B \cos(2\phi^B) + \dots) \\ &\sim (1 + 2c_2^{AB} \cos(2\Delta\phi) + 2c_4^{AB} \cos(4\Delta\phi) + \dots) \end{aligned}$$

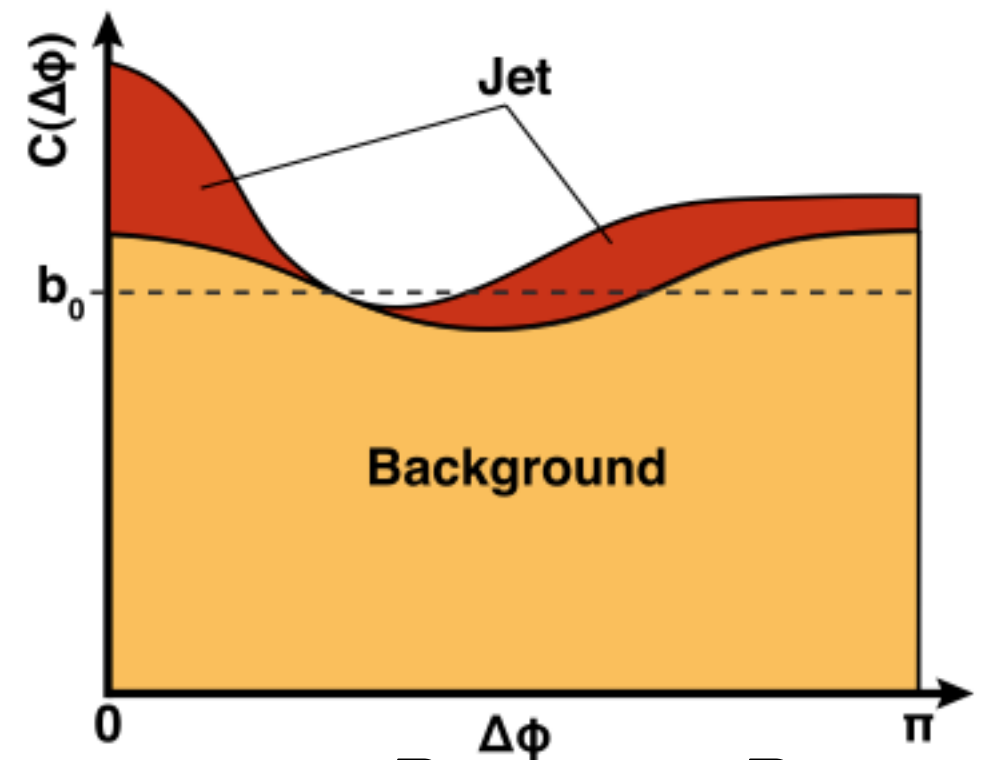
In principle, event fluctuations can create  $\nu_3$  in a single event

$$\nu_3 \rightarrow 2c_3^{AB} \cos(3\Delta\phi)$$

**Important:** Current ridge and shoulder (aka “cone”) results at intermediate  $p_T$  require small event-wise values of  $\nu_3$

Yet, no estimates (experimental or theoretical) exist...

...hydrodynamic simulations with fluctuations could predict  $\nu_3$





# Defining Hydro Initial Conditions

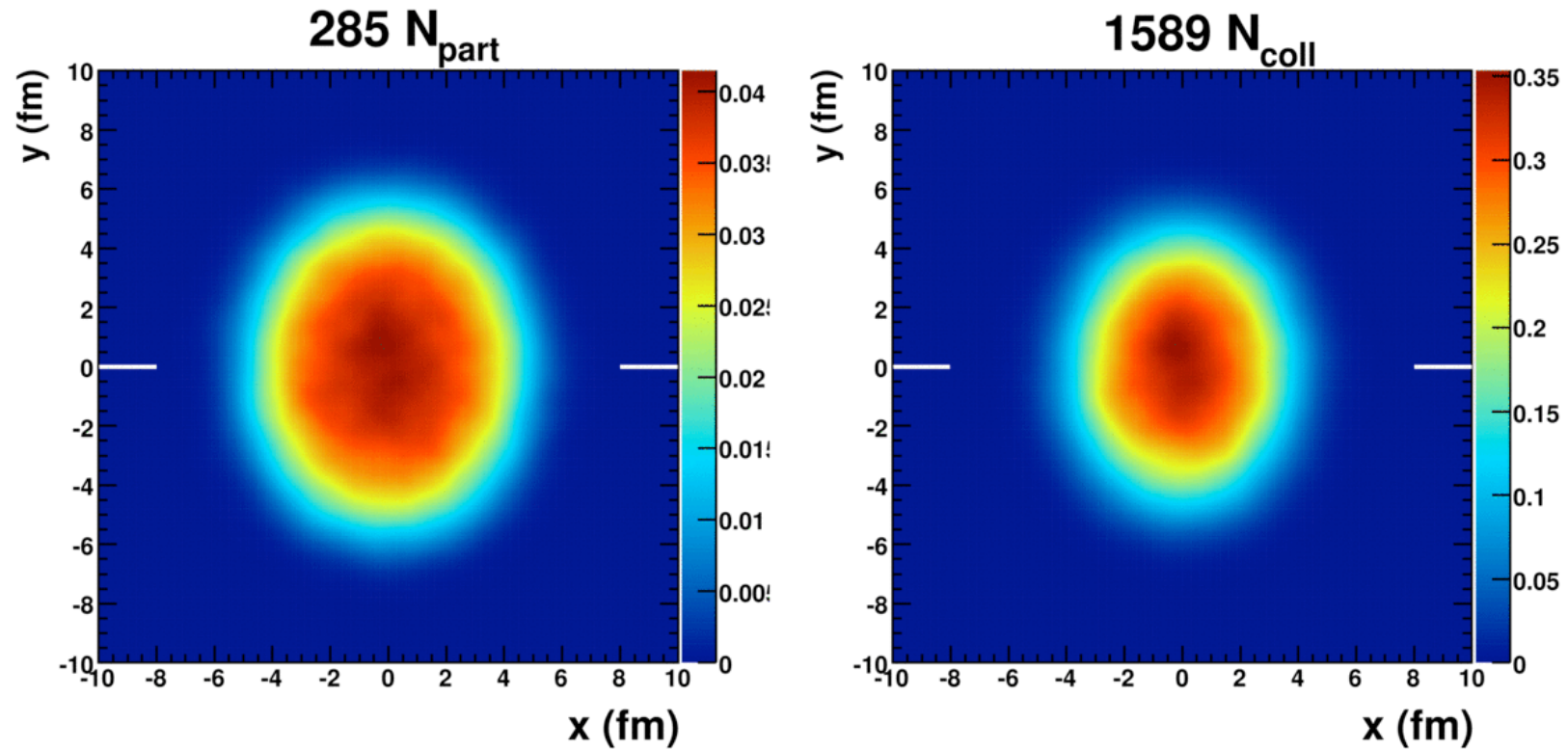
6

## $N_{part}$ vs $N_{coll}$

$$\frac{dN_{ch}}{d\eta} = n_{pp} \left[ (1-x) \frac{N_{part}}{2} + x N_{coll} \right]$$

$$x = 0.13 \pm 0.01(stat) \pm 0.05(sys)$$

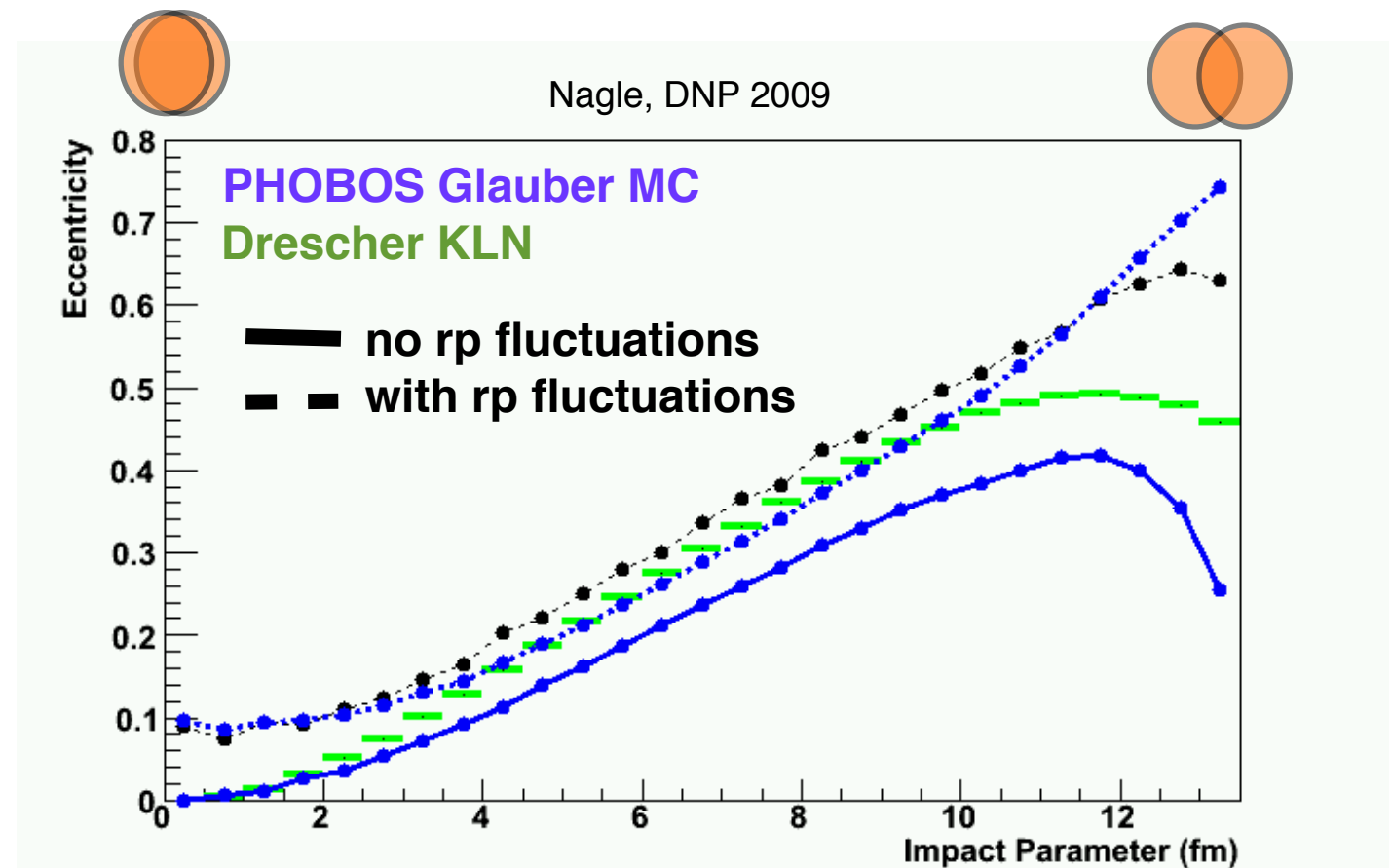
PHOBOS, B. B. Back *et al.*, Phys. Rev. C **70**, 021902 (2004), nucl-ex/0405027.



## Glauber vs CGC

changes the eccentricity

correct selection remains  
an open question



# Initial State Descriptions

7

## Optical Glauber vs CGC (fKLN)

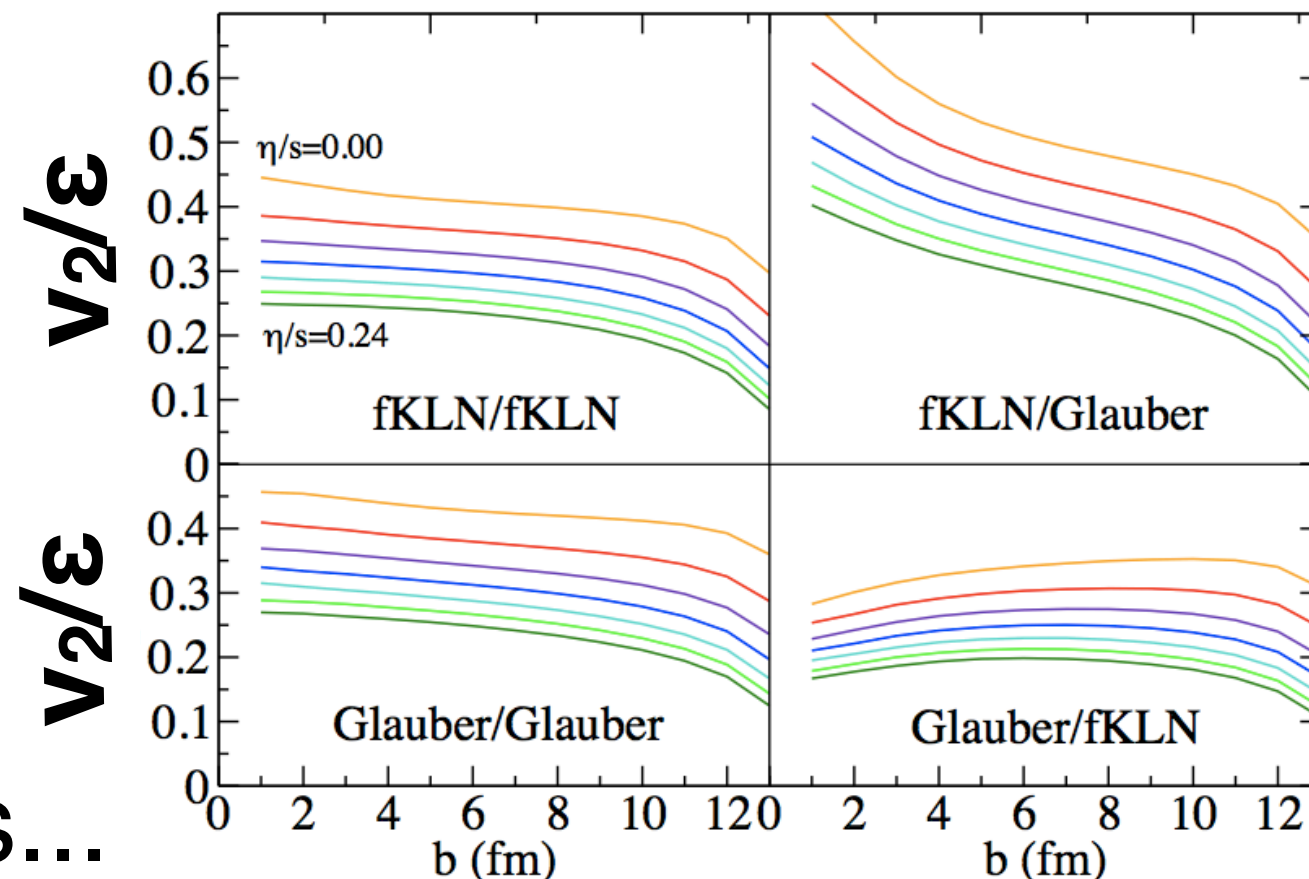
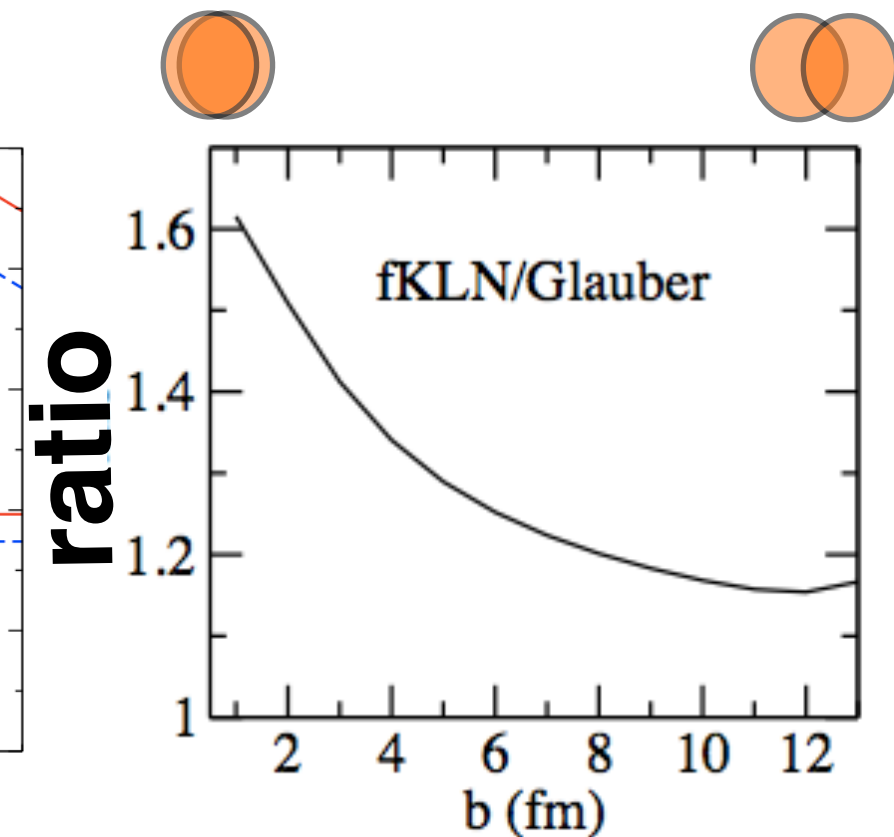
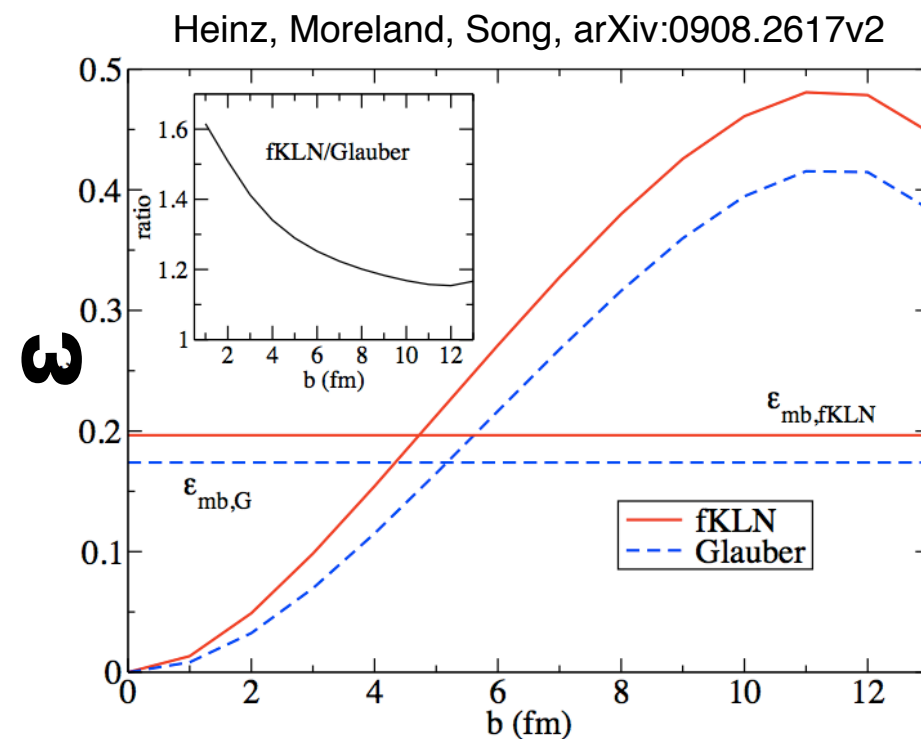
Large percentage difference ( $\sim 60\%$ ) between Optical Glauber and fKLN eccentricity

Scaled  $v_2/\varepsilon$  show characteristically different trends between descriptions

Data fall monotonically regardless of description

“appear to exclude... Glauber initial conditions”

Neglects fluctuations...





# Initial State Descriptions

7

## Optical Glauber vs CGC (fKLN)

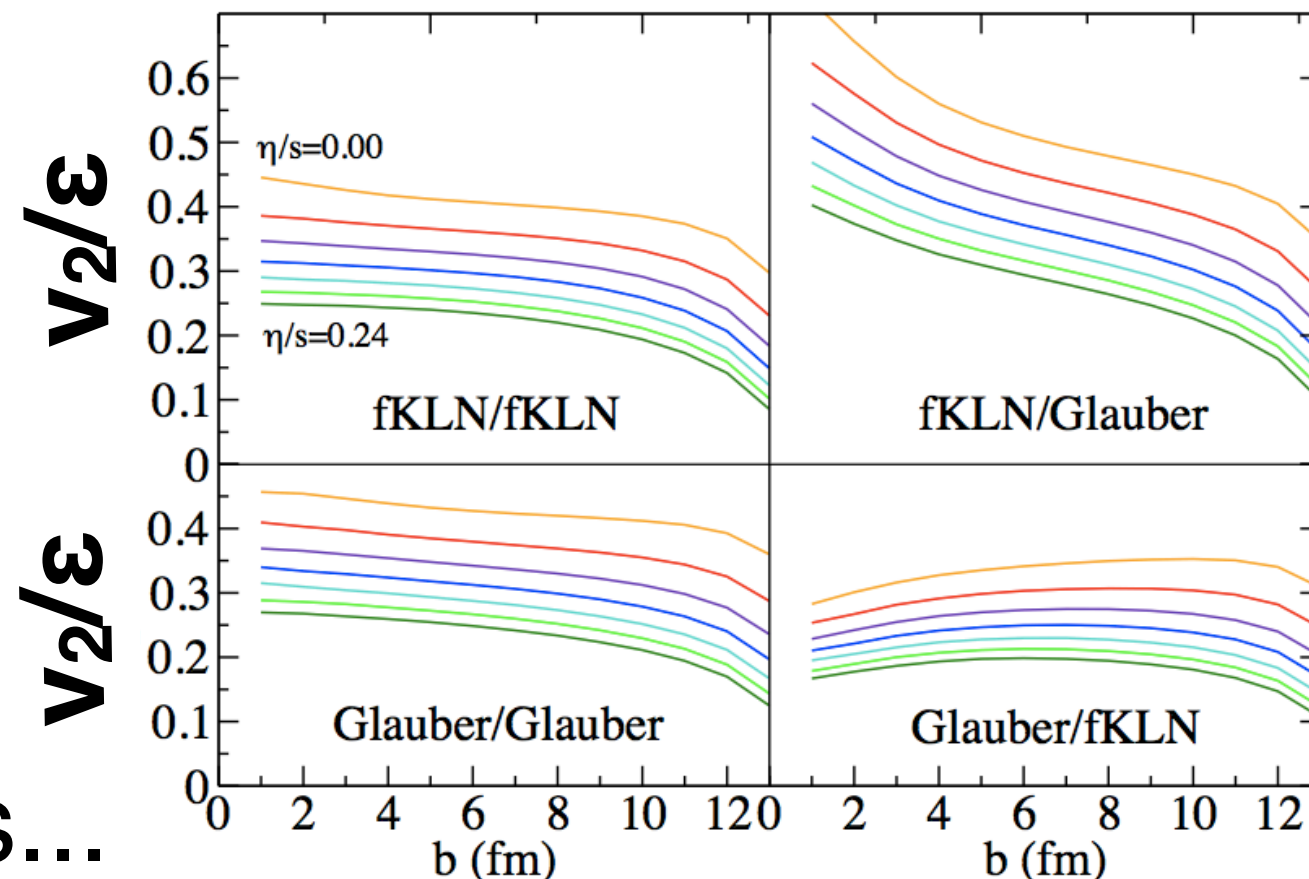
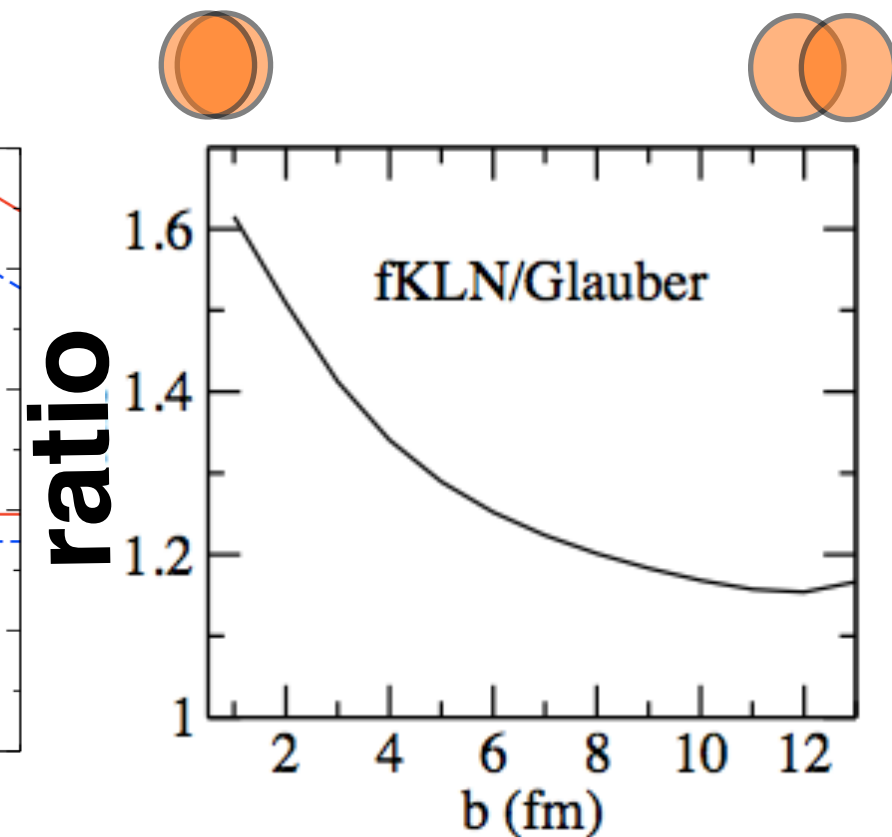
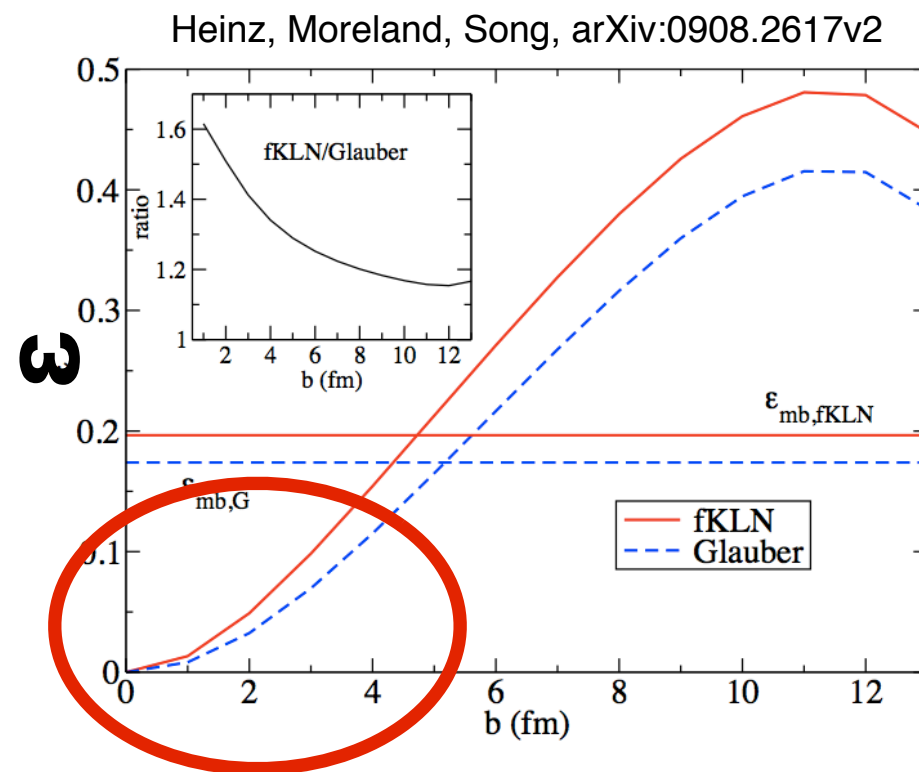
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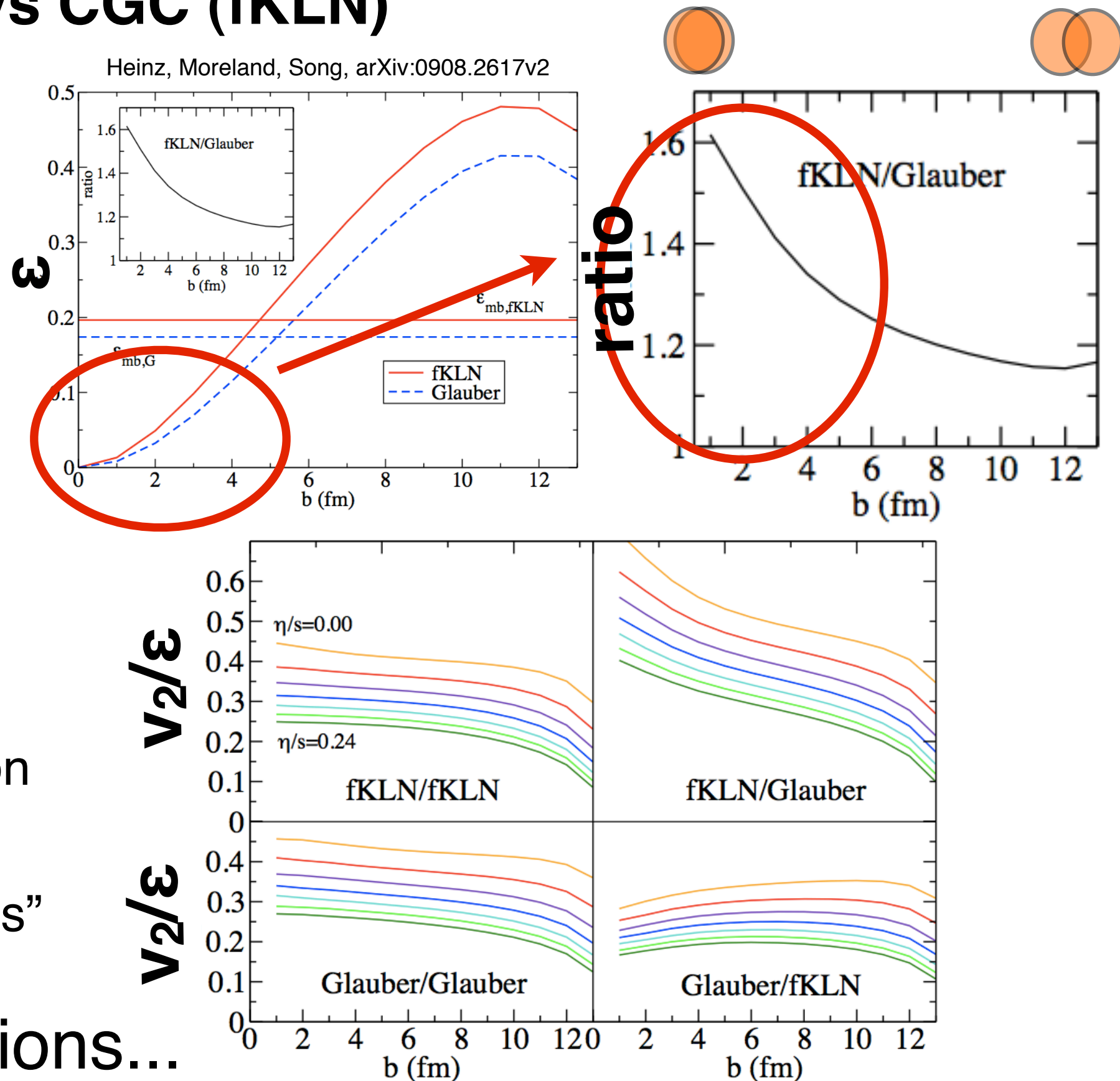
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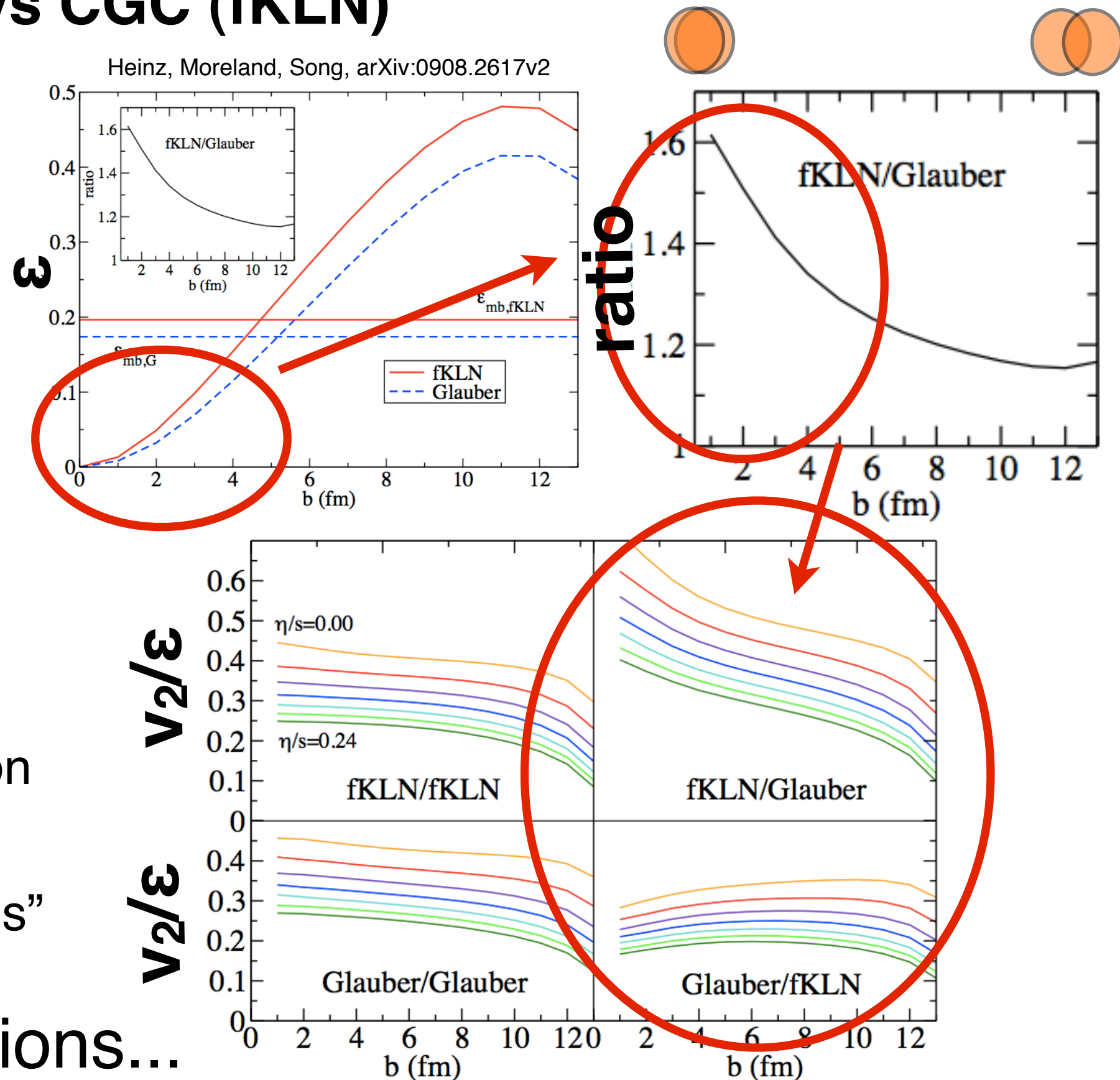
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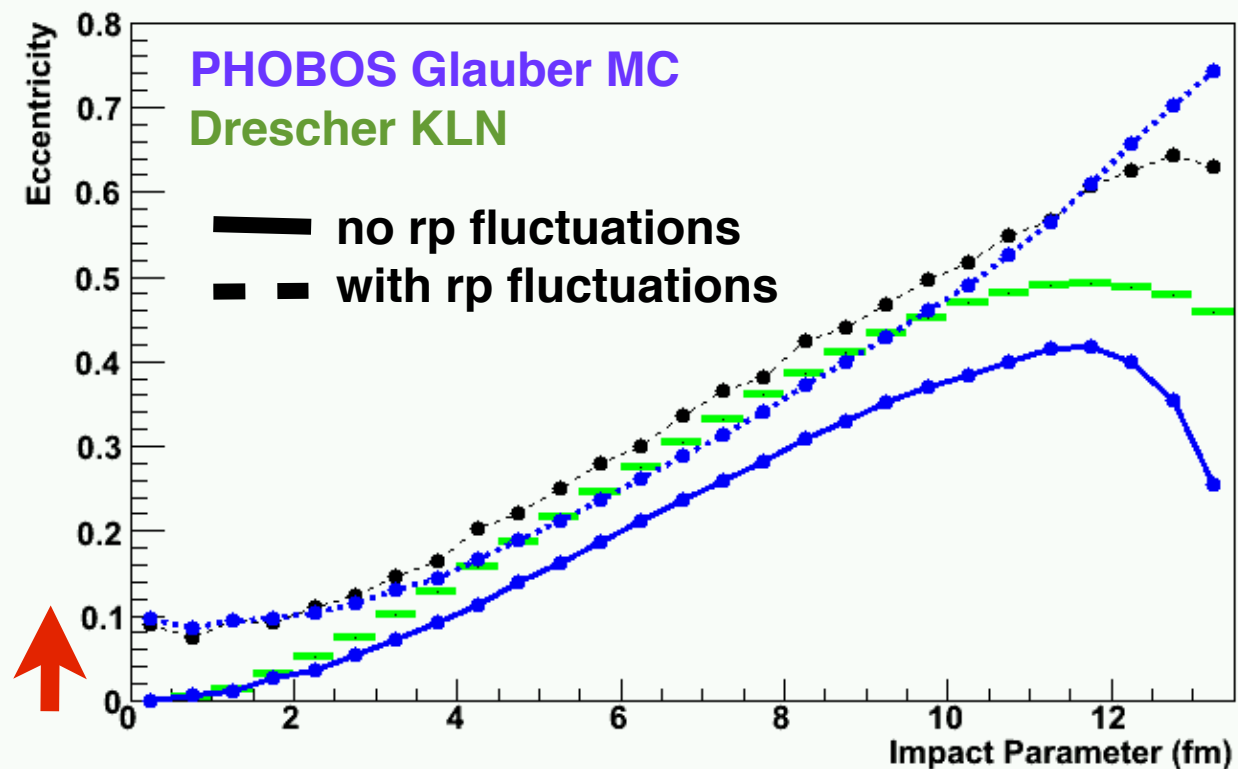
Neglects fluctuations...





# Adding Fluctuations

Nagle, DNP 2009

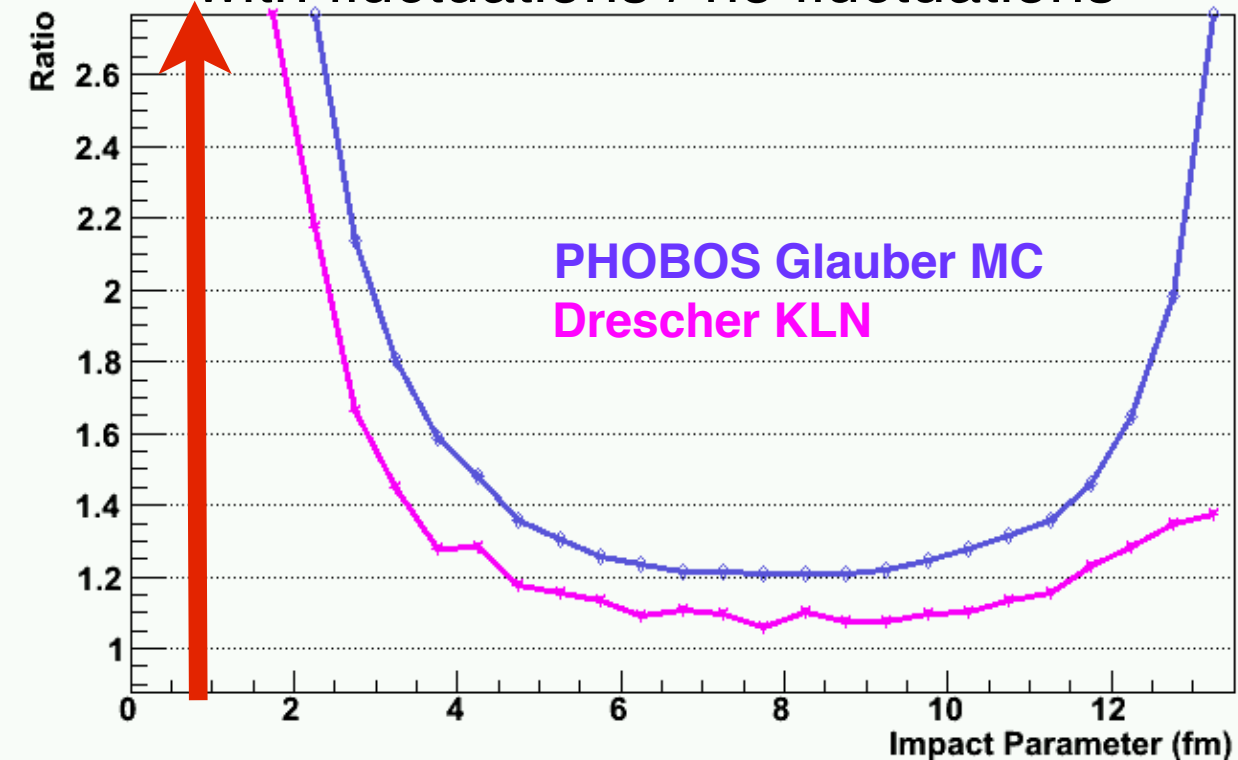


Event-to-event fluctuations dramatically increase central event eccentricity

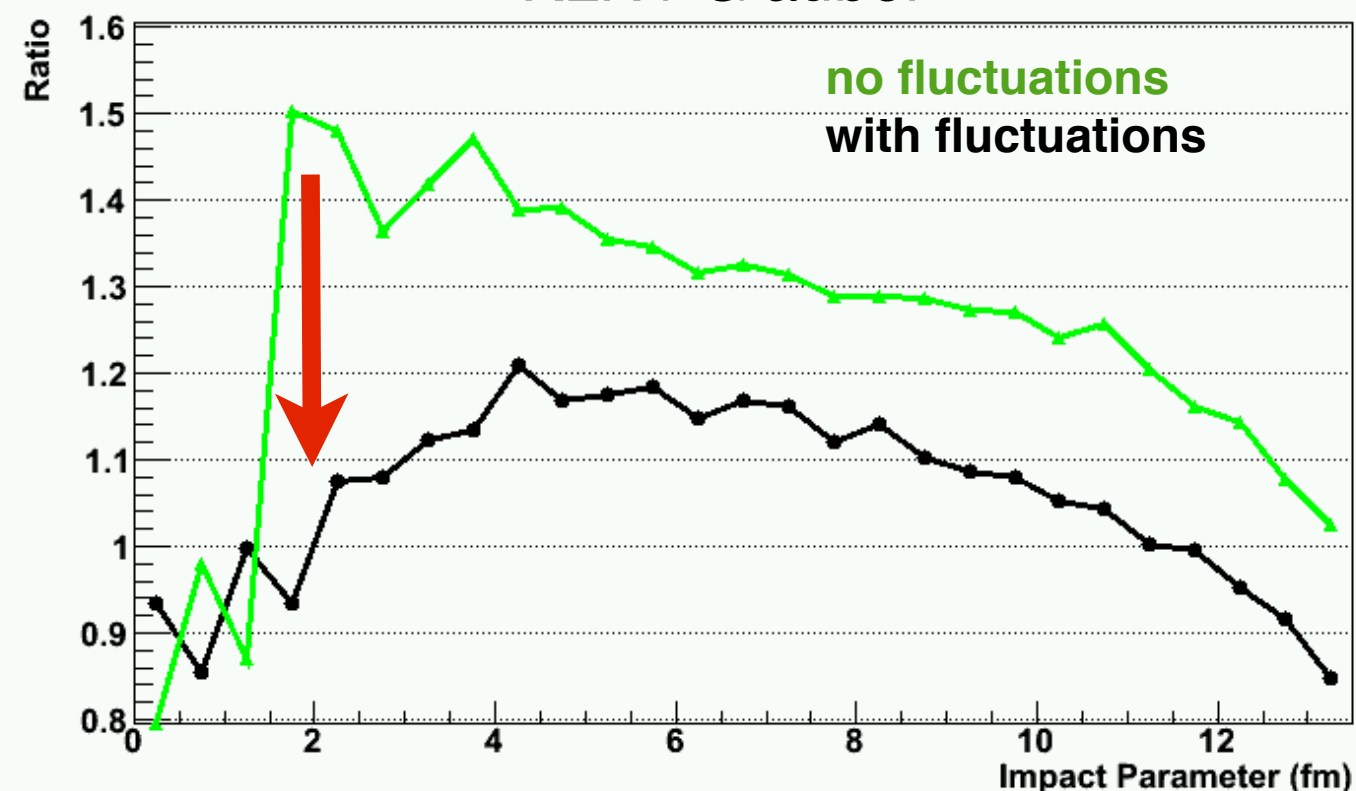
The effect overwhelms the intrinsic difference between CGC and Glauber

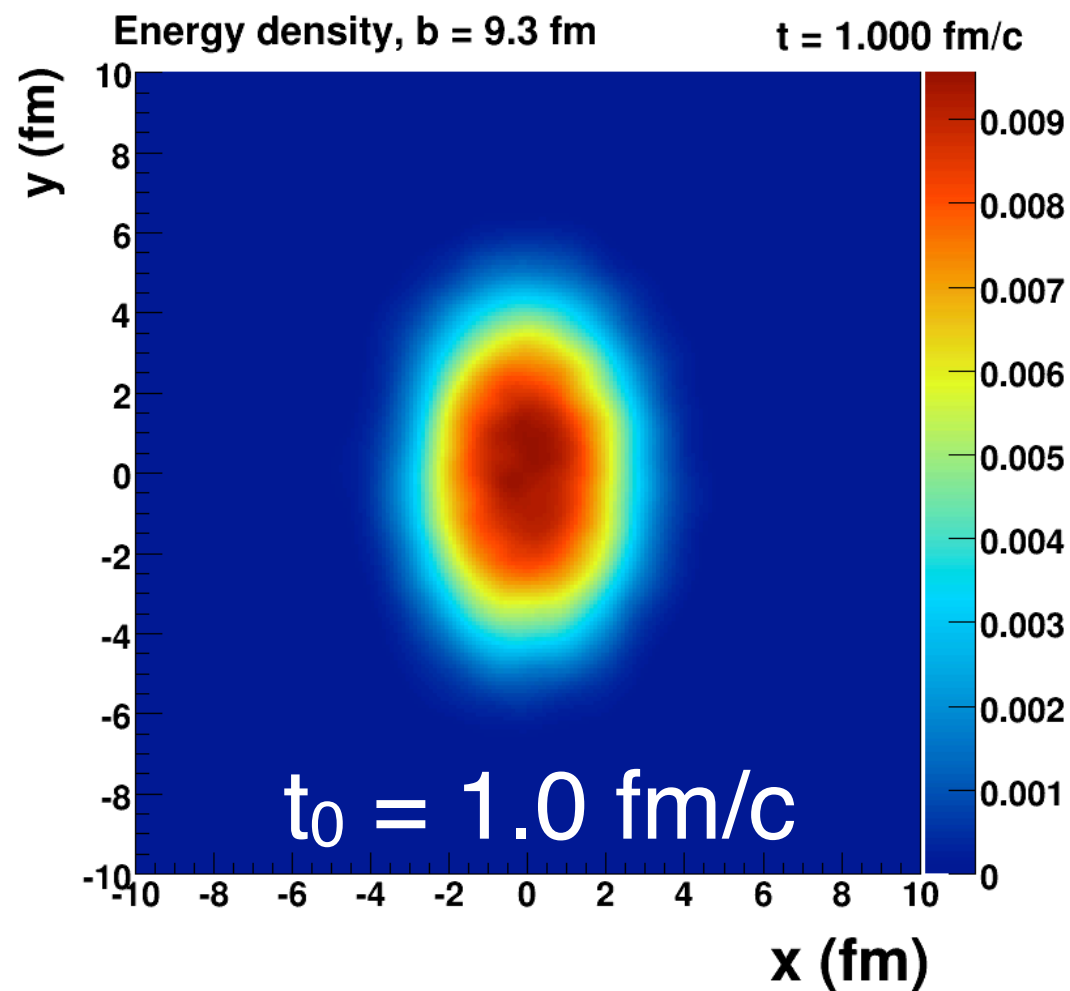
**The point:** Too early to bury Glauber on a qualitative comparison, yet a quantitative comparison may prove useful

with fluctuations / no fluctuations



KLN / Glauber





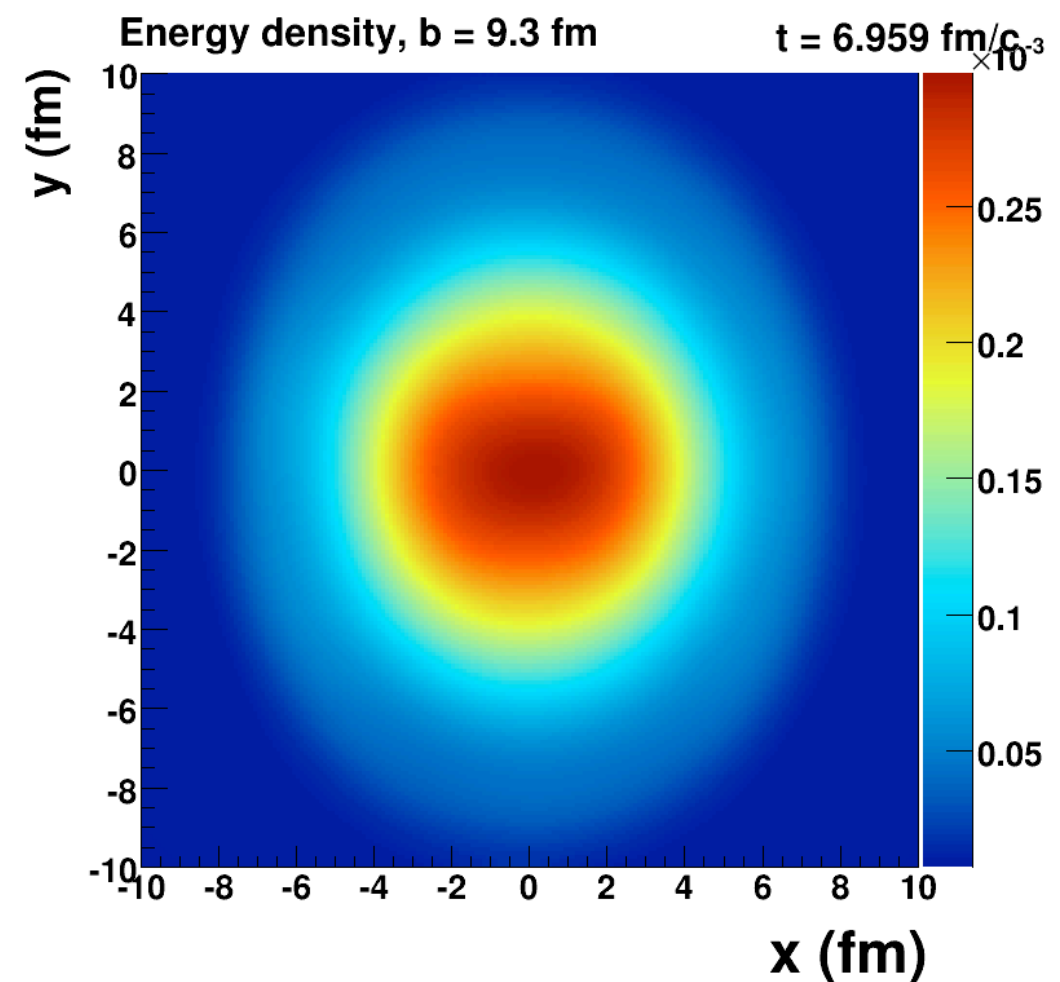
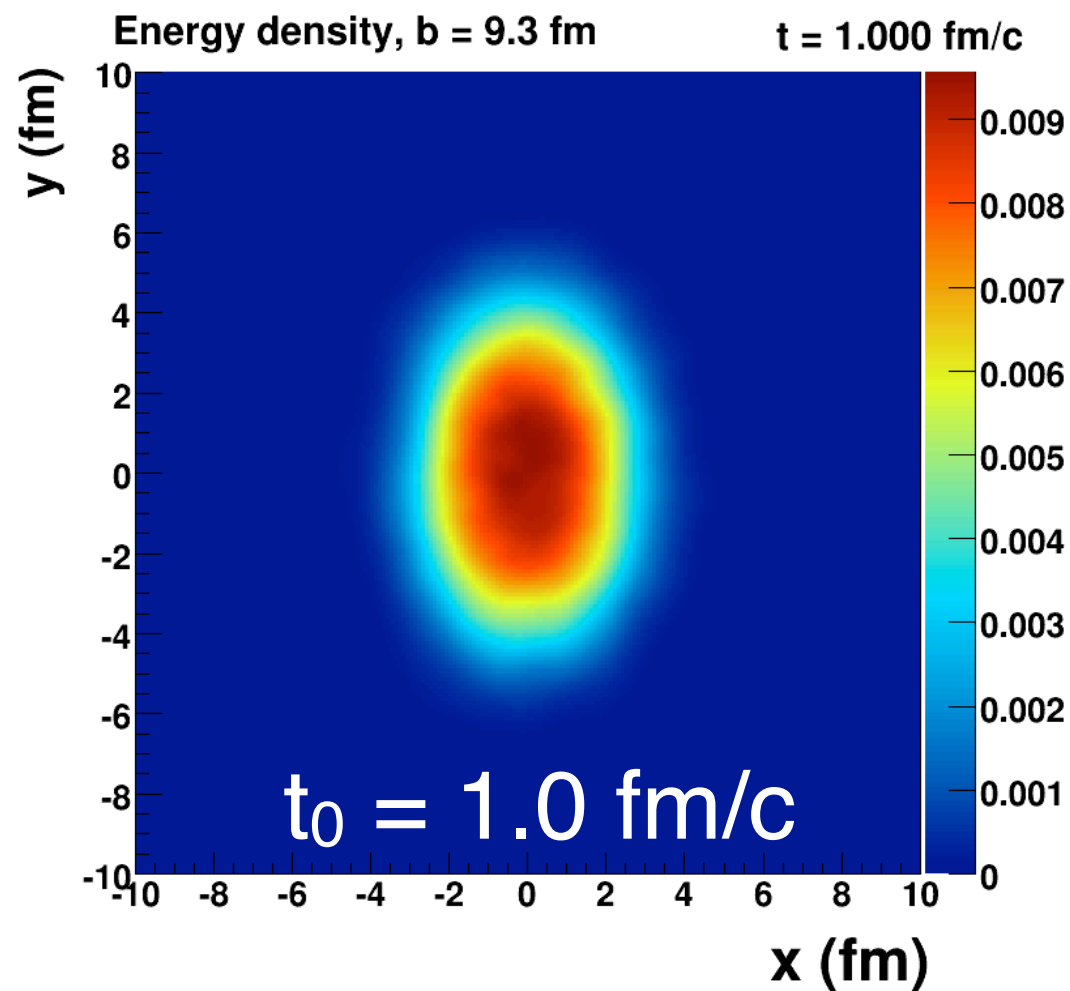
Viscous hydro code (v0.2) from M. Luzum and P. Romatschke  
(<http://hep.itp.tuwien.ac.at/~paulrom/codedown.html>)(09001.488v1)

Settings: 200x200 grid,  $a=0.51$  GeV<sup>-1</sup>,  $\eta/s = 0.08$

CPU Time:  $\sim 2.5$  days/collision on Xeon 2.13GHz

Initial Geometry ( $N_{\text{part}}$ ,  $x=0$ ) from PHOBOS Glauber MC v1.1

# Simulating Hydrodynamics



Viscous hydro code (v0.2) from M. Luzum and P. Romatschke  
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**initE** - constructs the initial energy density distribution according to optical Glauber or fKLN

**vh2** - relativistic hydro evolution and records the freezeout surface

**convert** - performs the freezeout

**reso** - resonance decay

**extract** - flow parameter extraction

Calculate energy density from Glauber MC



~~**initE** - constructs the initial energy density distribution according to optical Glauber or fKLN~~

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**convert** - performs the freezeout

**reso** - resonance decay

**extract** - flow parameter extraction

# Preparing the Initial Condition

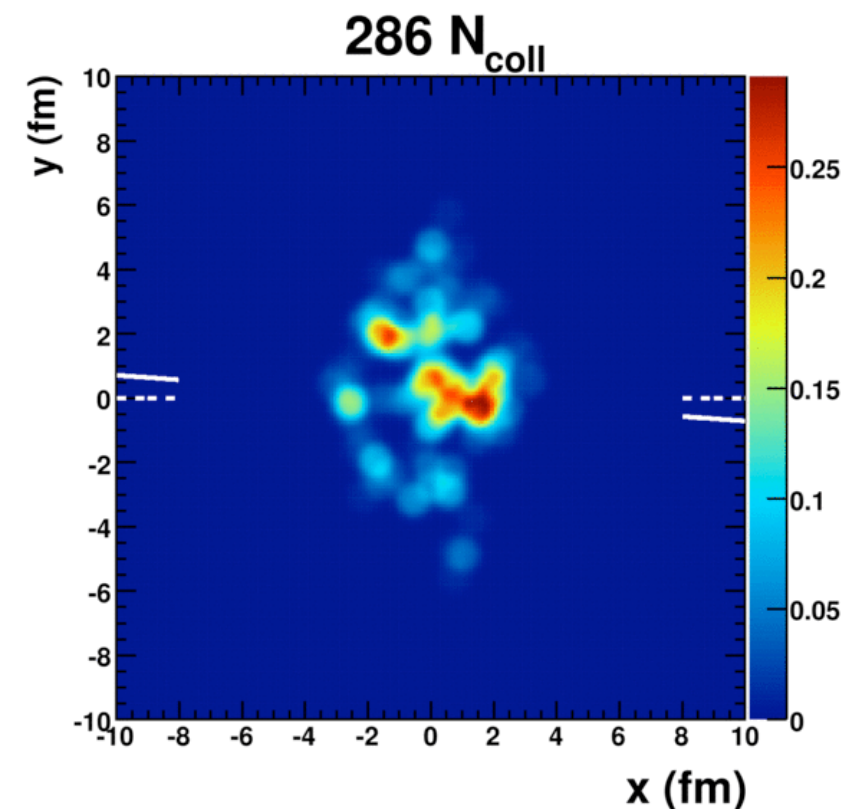
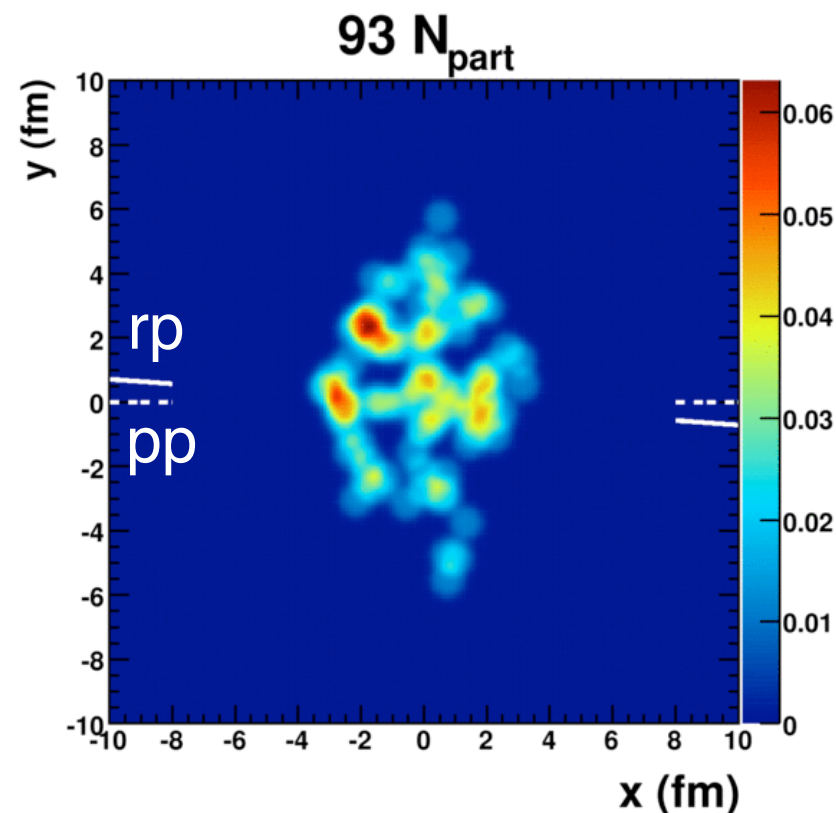
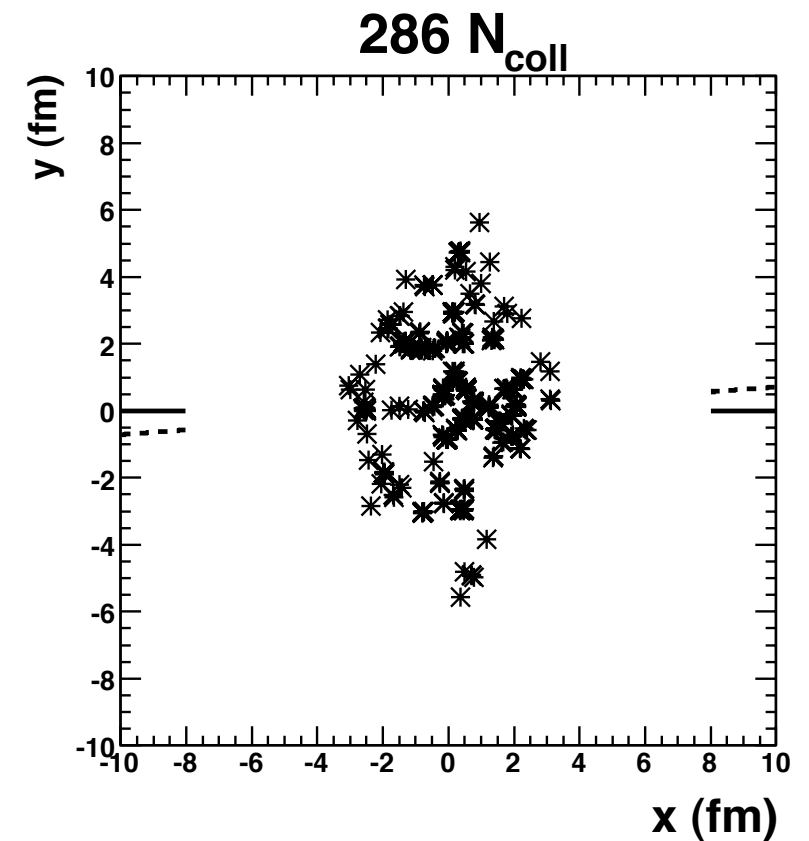
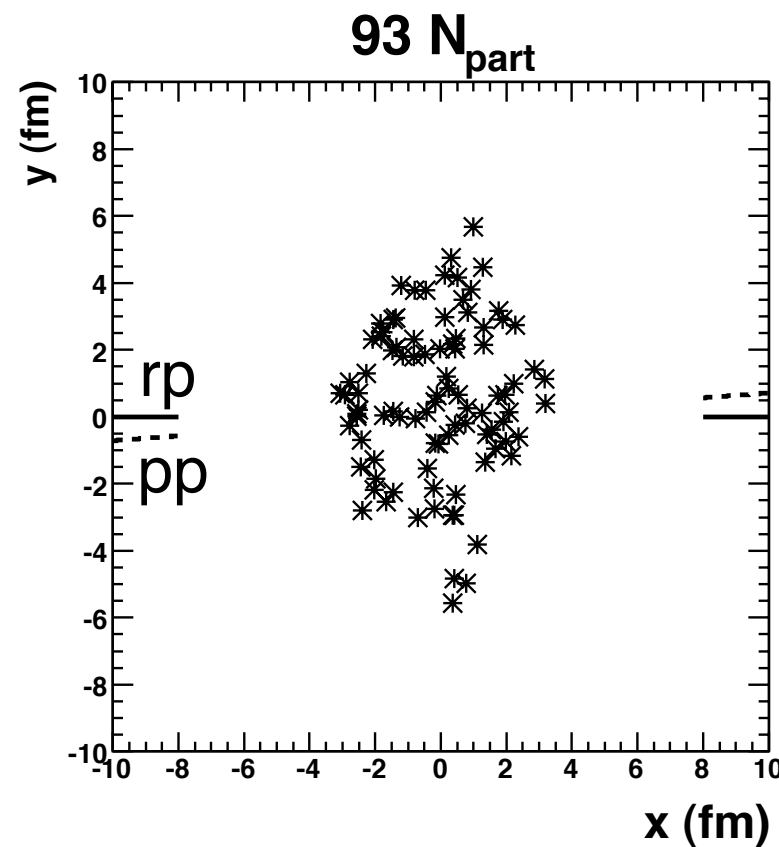
12

Distribution from  
PHOBOS Glauber MC

Rotate into the  
participant plane

Smooth each Glauber  
point with a Wood-Saxon  
( $r_0 = 0.5$  fm,  $d = 0.04$  fm)

(If applicable, sum over  
many events)





## Two obstacles:

### (1) Numerical error growth:

large percentage variations  
in small density regions

results in spikes in the  
energy density

(partial solution) **box smooth** in 3x3 grid  
where density is low ( $< 0.01$  peak)

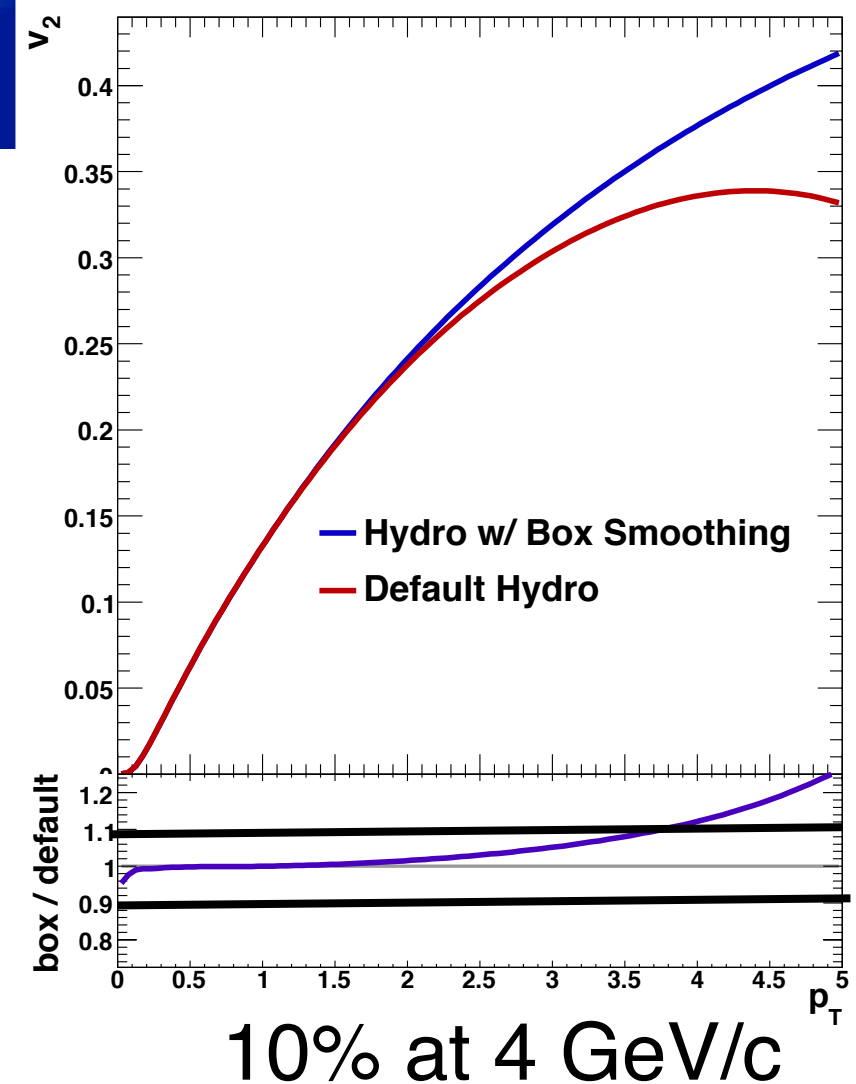
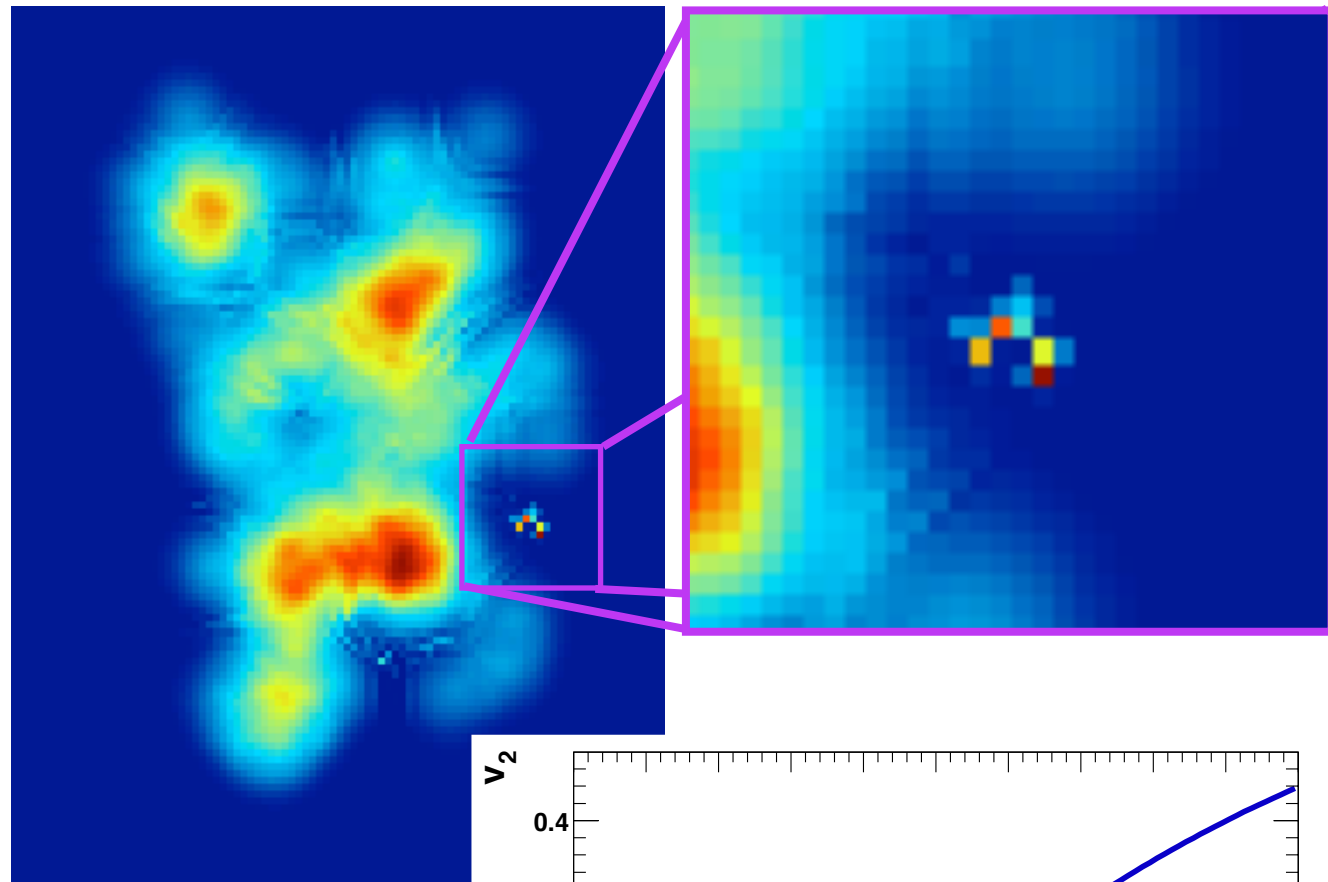
### (2) Freeze-out hyper-surface

Technical:

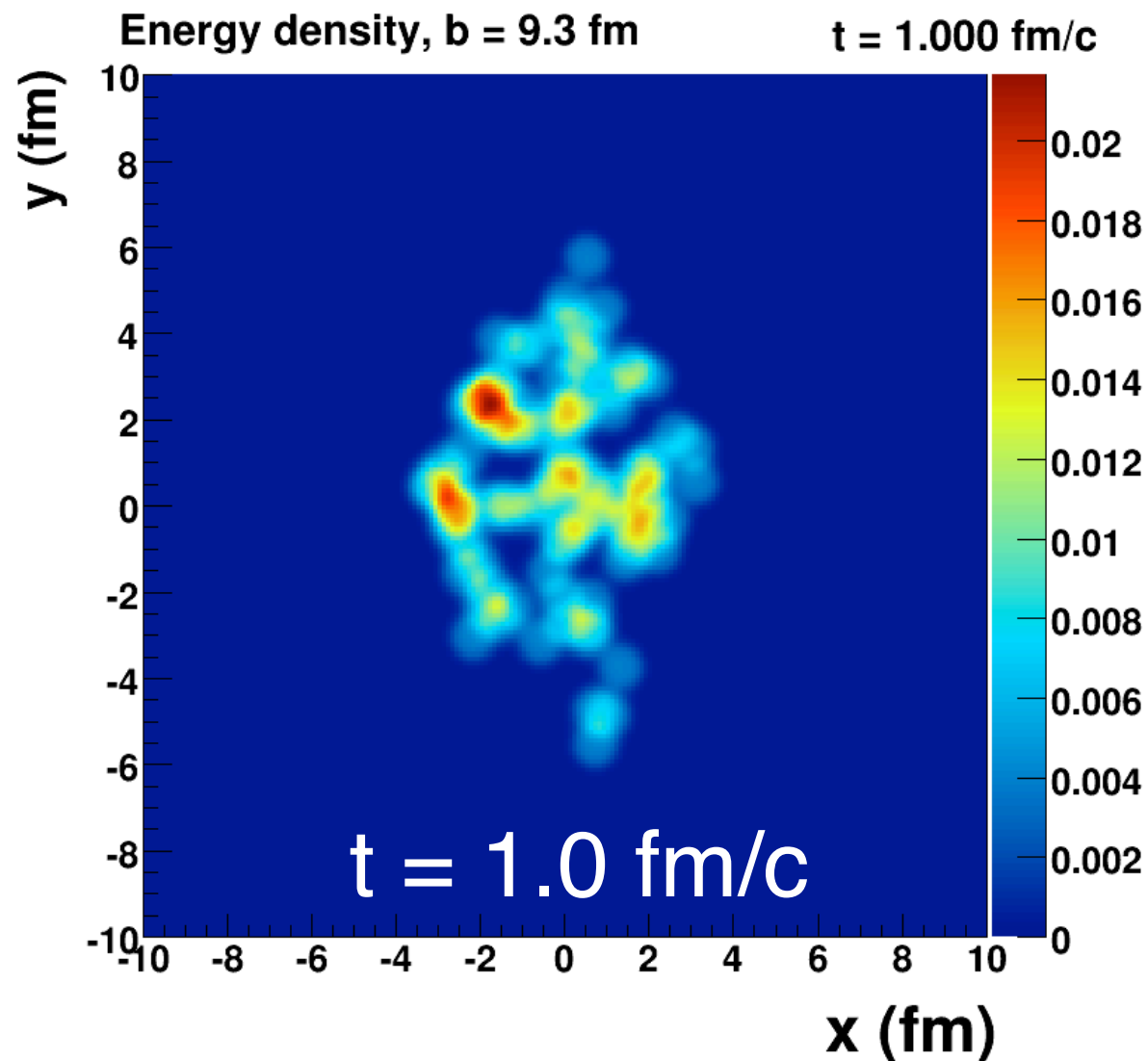
current algorithm assumes simple  
“almond” geometry

Conceptual:

non-monotonic temperature variation  
freezout trajectory may re-enter



# Simulation with Fluctuations



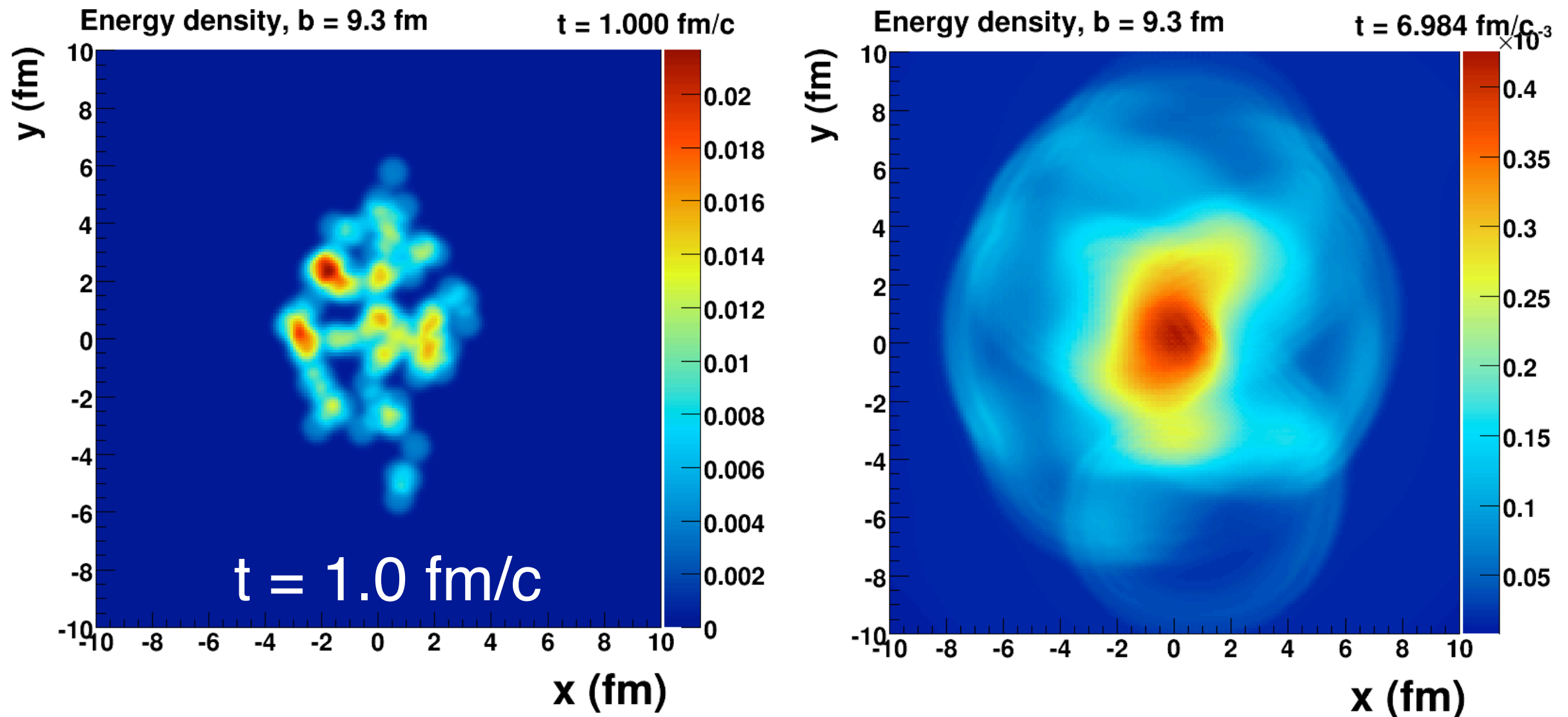
Hydro can be run on fluctuating initial conditions

Collective behavior is preserved

Significant event fluctuations persist to final state

Note: “Pulsing” artifact of scaling to peak density

# Simulation with Fluctuations



Hydro can be run on fluctuating initial conditions

Collective behavior is preserved

Significant event fluctuations persist to final state

Note: “Pulsing” artifact of scaling to peak density



## Easier problems:

More elegant (read: correct) solution to numerical error should be possible

Treatment of isolated, possibly non-thermal areas (applies to smooth hydro too!)

**Tough problem:** defining the freezeout hypersurface

**Immediate goal:** Simulate multiple collisions ( $\sim 20$  evts) and investigate

extract:  $\langle v_2 \rangle$  ,  $\langle v_3 \rangle$  ,  $\langle v_4 \rangle$

compute:  $v_2 \Rightarrow \Delta(\eta/s)$ ,  $v_3 \Rightarrow c_3^{AB}$

## Farther out:

Run multiple sets at spanning  $\eta/s$

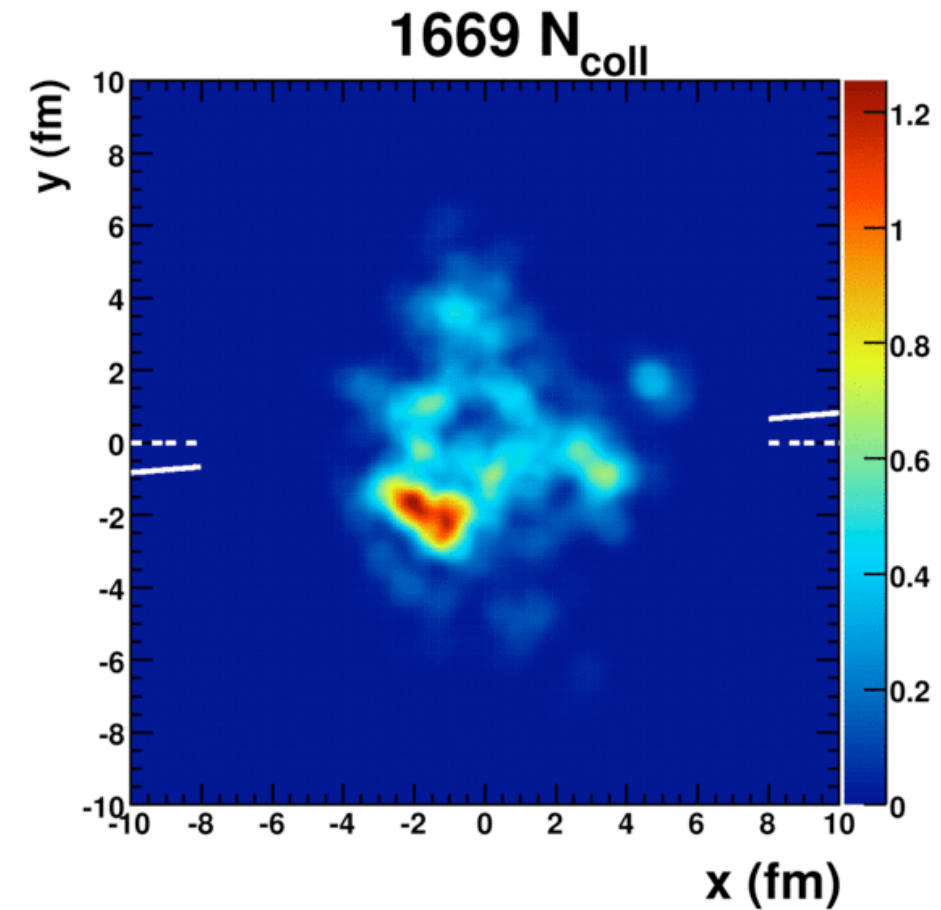
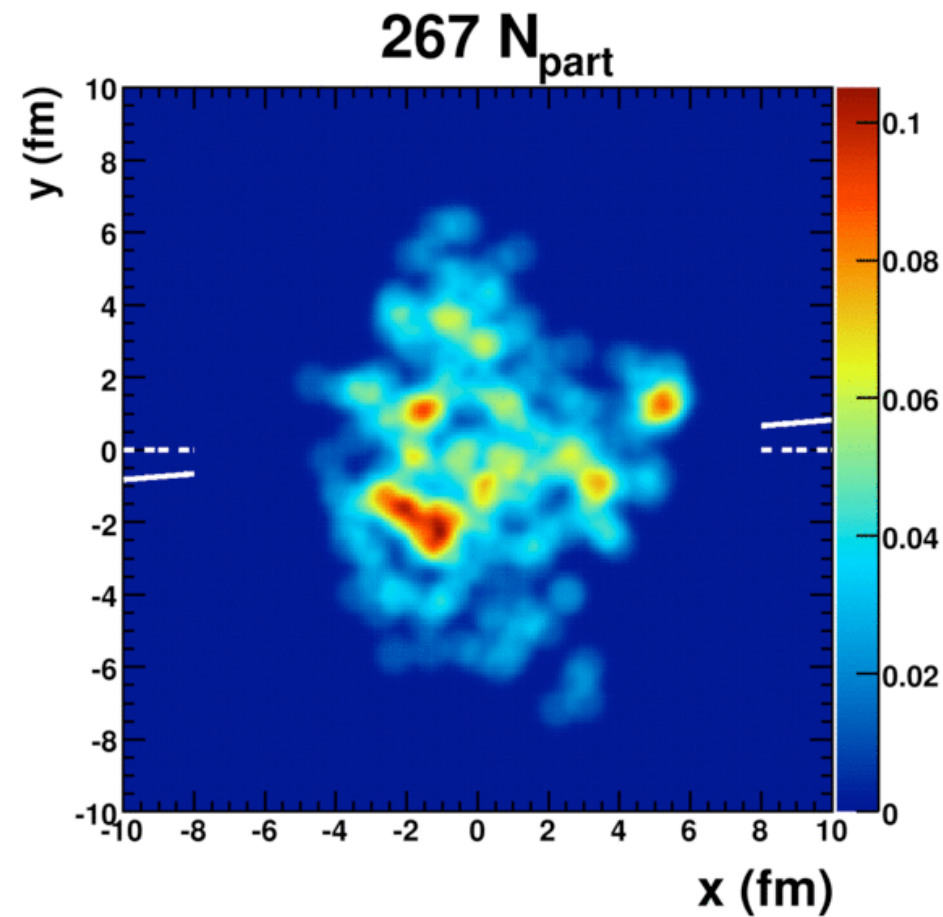
→ best fit  $\eta/s$

→ turbulence scale ( $\Delta v_2/v_2 \times \eta/s$ )

Repeat for spans of x-value, CGC (MC-KLN)

Additional Slides

Central



Mid-central

